

# Gas Detectors I

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*Physikalisches Institut*

- Introduction
  - Gas detector basics
  - MPWC
  - Drift chambers (LHCb straw detector)
  - Micro pattern detectors
-

# Gas Detectors – A Frontier Technology

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## Advantages

- Cheap large area coverage
- Good spatial resolution
- Fast and large signals
- Good dE/dx resolution
- Good double track resolution
- Many possible detector configurations
- Low material budget – low radiation length

## Challenges

- Extremely large area detectors needed (ATLAS 5500 m<sup>2</sup>)
- High mechanical precisions (ATLAS, better than 30 μm)
- Fast readout (25 ns bunch crossing cycle at LHC)
- High rate capability (LHCb Straw Tracker 400 kHz/cm<sup>2</sup>)
- High radiation dose (charge deposition ~2 C/cm)
- Light construction (LHCb Straw Tracker 9% X<sub>0</sub>)

# Example: ATLAS Muon Detector

## Monitored Drift Tubes (MDT)

Muon-Spectrometer provides  
standalone momentum resolution

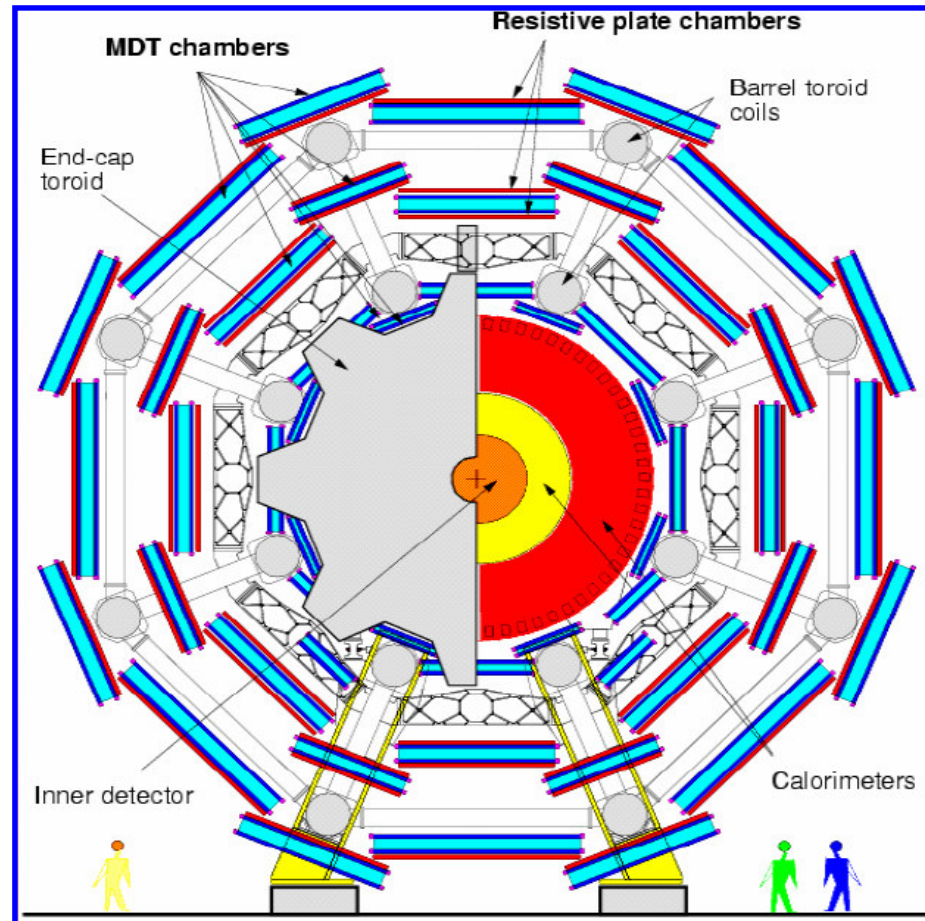
$dp/p \sim 10\%$  at  $\sim 1\text{TeV}/c$

$dp/p \sim 3\%$  at  $\sim 100\text{GeV}/c$

$\Rightarrow$  need overall  $ds_{\text{sagitta}} \sim 50\mu\text{m}$

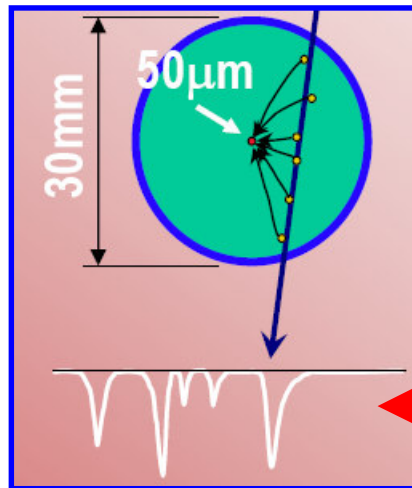
$\Rightarrow$  need low radiation length  $\leq 10\%$

Cover  $5500\text{m}^2$



Sagitta  $s$

# ATLAS MDTs



Trigger on first cluster

Single tubes:

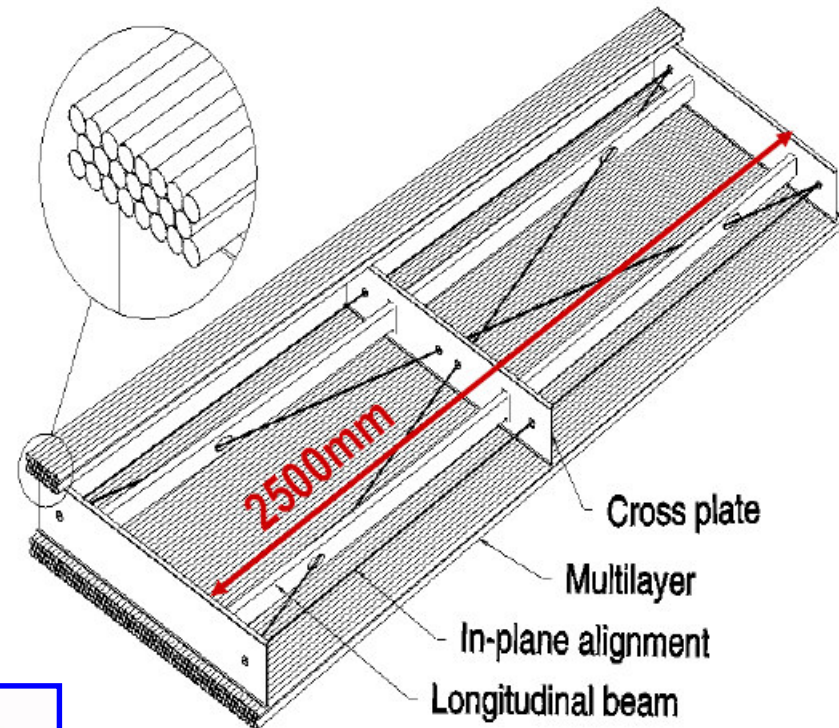
Ar/CO<sub>2</sub> (93/7%) with 3 bar

**single tube resolution: ~100µm**

Chambers:

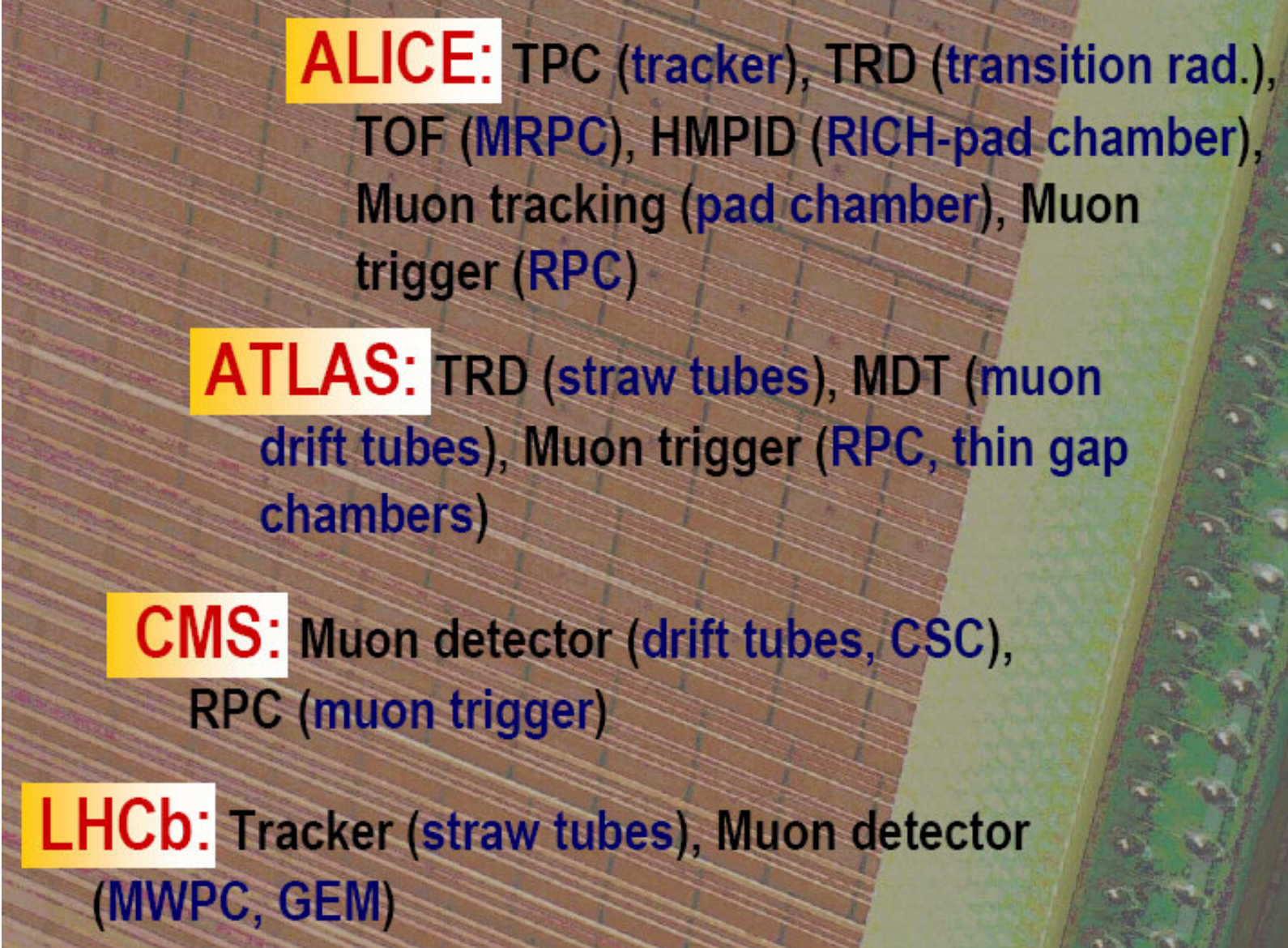
2 multilayers with 3 or 4 monolayers

**MDT position resolution  $\sigma_{\text{sagitta}} \sim 50\mu\text{m}$**



# Gaseous Detectors at LHC

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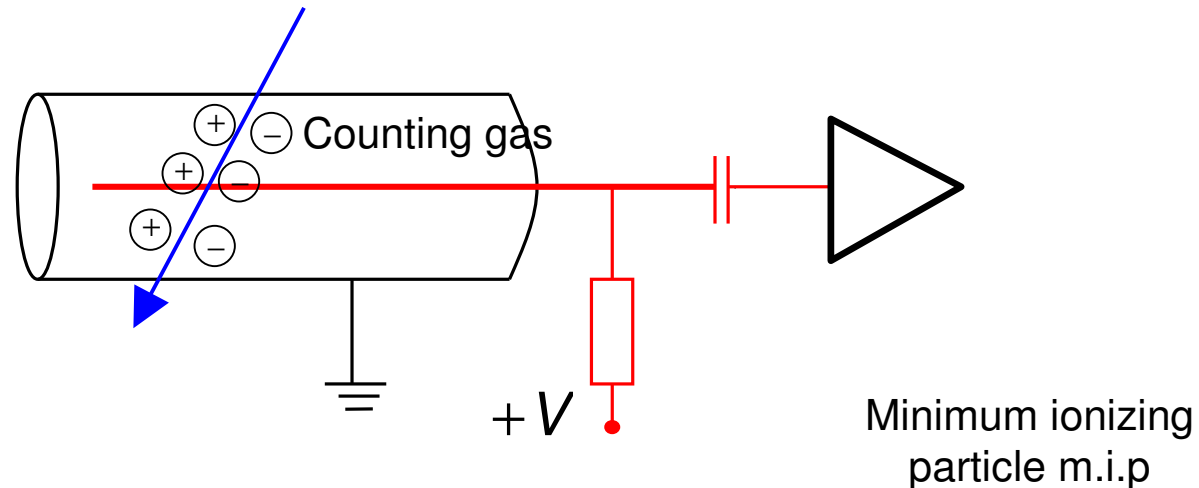
**ALICE:** TPC (tracker), TRD (transition rad.), TOF (MRPC), HMPID (RICH-pad chamber), Muon tracking (pad chamber), Muon trigger (RPC)

**ATLAS:** TRD (straw tubes), MDT (muon drift tubes), Muon trigger (RPC, thin gap chambers)

**CMS:** Muon detector (drift tubes, CSC), RPC (muon trigger)

**LHCb:** Tracker (straw tubes), Muon detector (MWPC, GEM)

# Gas ionization by charged particles



Energy loss  $dE/dx$  of charged particles:

- primary ionization
  - secondary ionization
- } Average energy  $W_{ion}$  to create e/ion pair

Total number of e/ion pairs for a particle:

$$n_{ion} = \frac{\langle dE/dx \rangle}{W_{ion}} \quad \leftarrow \text{Bethe-Bloch}$$

Gas	Z	$W_{ion}$ [eV]	$n_{ion}$ [ $\text{cm}^{-1}$ ]
Ar	18	26	94
CO <sub>2</sub>	33	33	91
CH <sub>4</sub>	10	28	53

For comparison:

Scintillator: energy for photon  $\sim 100$  eV

Si Detector: energy for e/hole  $\sim 3.5$  eV

# Drift of electrons in presence of fields

Motion of charged particles under influence of E and B fields: **Langevin equation**.

**Drift velocity  $\vec{u}$ :**

$$m \frac{d\vec{u}}{dt} = e(\vec{E} + \vec{u} \times \vec{B}) - K\vec{u}$$

“stochastic friction force” due to collisions

$m, e$  = mass and charge of electron

For  $t \gg \tau \rightarrow$  static situation:  $\frac{d\vec{u}}{dt} = 0$

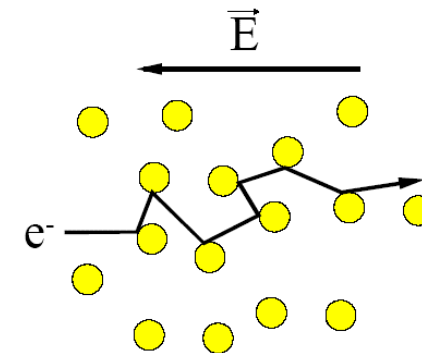
Cyclotron frequency

$$\omega = \frac{e}{m} B$$

Scalar mobility

$$\mu = \frac{e}{m} \tau$$

$$\vec{u} = \frac{\mu E}{1 + \omega^2 \tau^2} \left[ \hat{E} + \omega \tau \hat{E} \times \hat{B} + \omega^2 \tau^2 (\hat{E} \cdot \hat{B}) \hat{B} \right]$$



Mean free path  $L$

Time between collisions:

$$\tau = \frac{L}{c} = \frac{1}{N\sigma \cdot c}$$

instantaneous velocity

One finds:  $\tau = \frac{K}{m}$

for  $\omega \tau \rightarrow 0 \quad \vec{u} = \mu \vec{E}$

# Drift velocity

In the microscopic picture one finds for the drifting electrons (energy  $\varepsilon$ ):

drift 
$$u^2 = \frac{eE}{mN\sigma} \sqrt{\frac{\lambda}{2}}$$

$$\sigma = \sigma(\varepsilon)$$

Instant. 
$$c^2 = \frac{eE}{mN\sigma} \sqrt{\frac{2}{\lambda}}$$

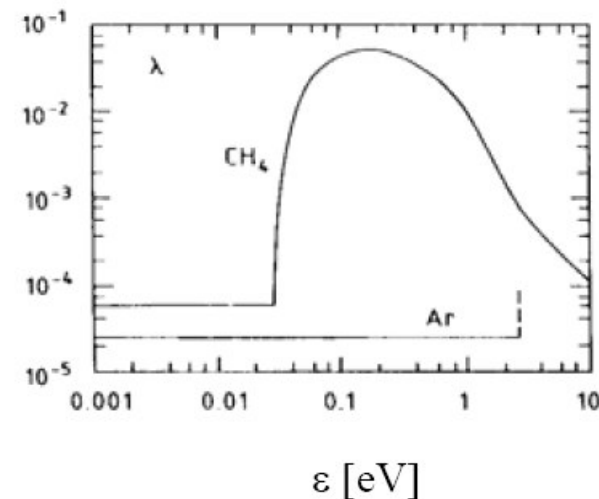
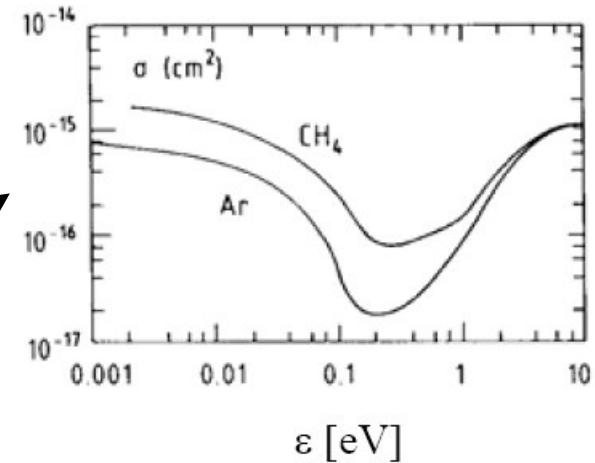
$$\lambda = \lambda(\varepsilon)$$

fractional energy loss

(Energy received from the E field between collisions equal to energy transferred in collisions.)

Elastic collisions: 
$$\lambda \approx \frac{2m}{M_{gas}} \approx 10^{-4}$$

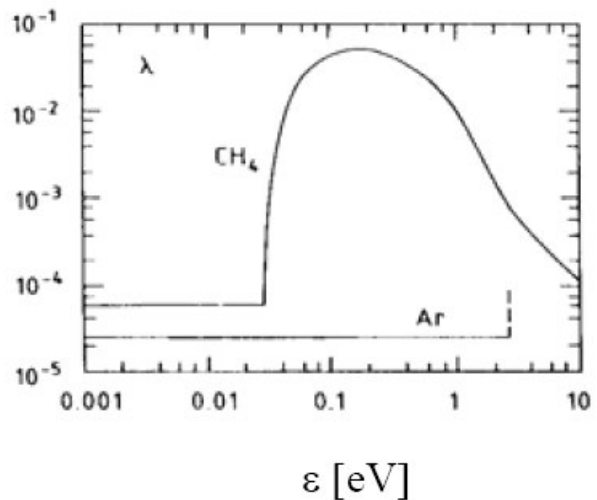
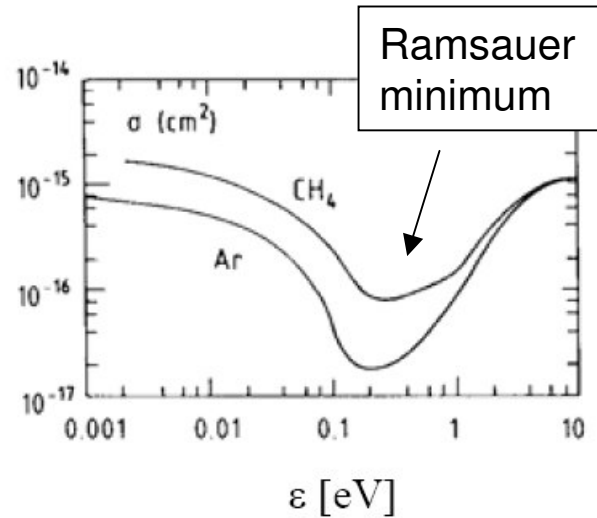
$$u^2 = \frac{\lambda}{2} c^2 \Rightarrow u \approx \frac{c}{100}$$



Drift velocity much smaller than instantaneous velocity



# Fast and slow gases



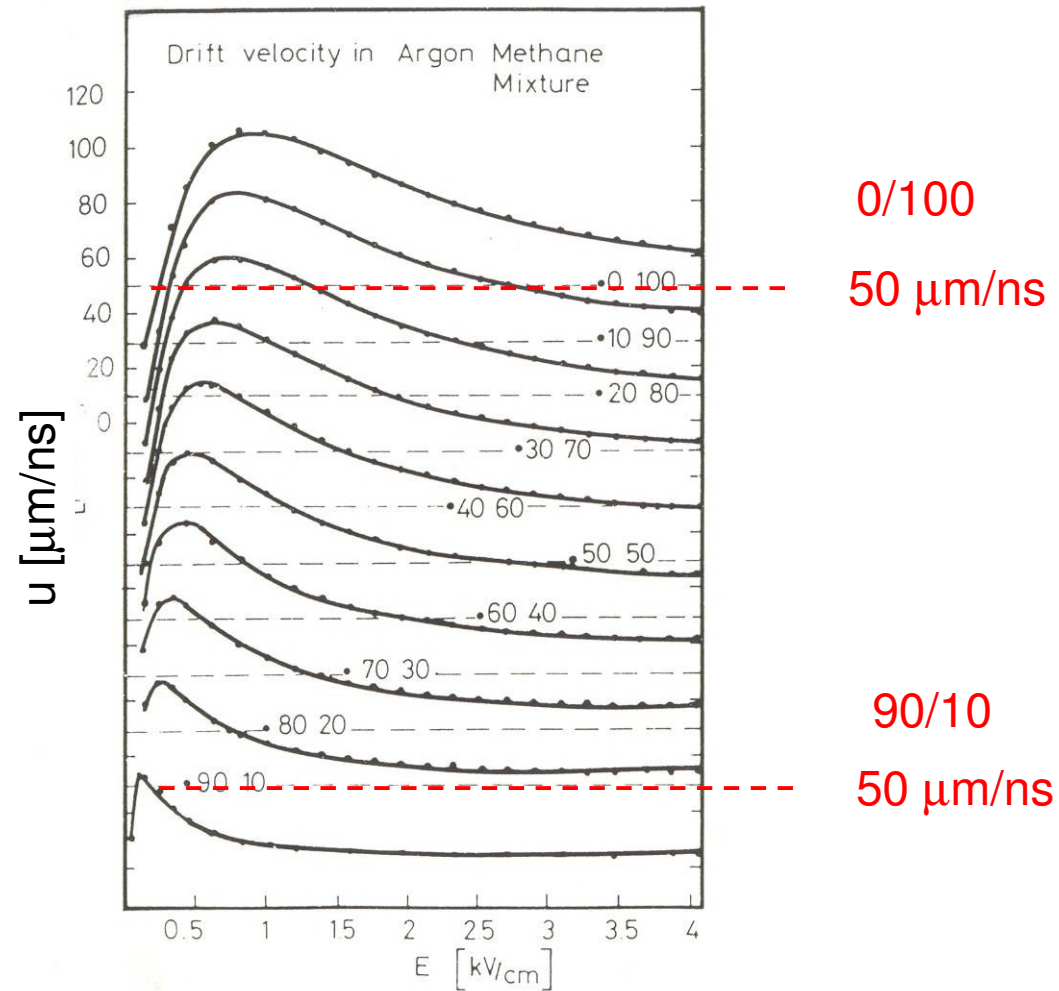
- Ramsauer minimum:  $v$  is large
- Ar:  $\epsilon_{\text{ionization}} \gg \epsilon_{\text{Ramsauer}}$   
 $\rightarrow \frac{\sqrt{\lambda}}{\sigma}$  small, i.e. slow gas

- CH<sub>4</sub>:  $\epsilon_{\text{excitation}} < \epsilon_{\text{Ramsauer}}$   
 $\rightarrow \frac{\sqrt{\lambda}}{\sigma}$  big, i.e. fast gas

- Ar / CH<sub>4</sub> mixture  
 $\rightarrow$  Drift velocity  $u$  can be tuned

Excitation threshold: Ar at 11.5 eV  
 CH<sub>4</sub> at 0.03 eV  
 (vibrations+rotations)

# Drift velocity of ArCH<sub>4</sub>



# Drift velocity of ions

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- Fractional energy loss for ions large:

$$\lambda \approx \frac{2m_{ion}M_{gas}}{(m_{ion} + M_{gas})^2} \approx \frac{1}{2}$$

- Mobility / drift velocity much smaller than for electrons.

$$\mu_{ion} \approx 10^{-4} \mu_e \Rightarrow v_{ion} \approx 10^{-4} v_e$$

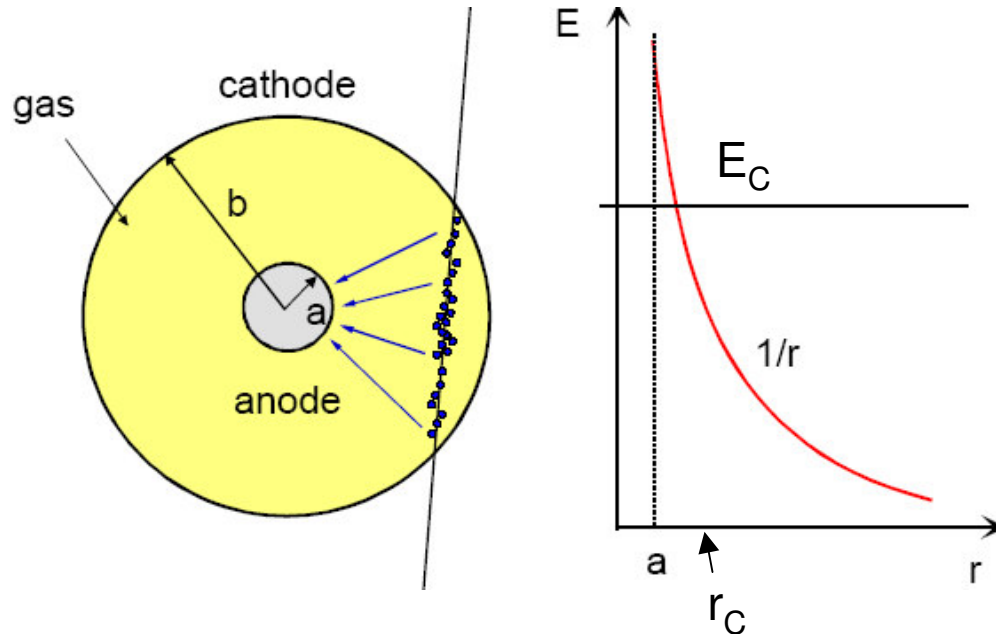
- While for electrons  $\mu = \mu(E, \text{Gas}, p, T)$  one finds for ions only little dependence on E:

$$\mu(E) \sim \text{const} \Rightarrow v \sim E \quad \text{for small } E$$

$$\mu(E) \sim \sqrt{E} \Rightarrow v \sim \sqrt{E} \quad \text{for large } E$$

Gas	Ion	$\mu$ [cm <sup>2</sup> /(Vs)]
Ar	Ar <sup>+</sup>	1.5
Ne	Ne <sup>+</sup>	4.1
Xe	Xe <sup>+</sup>	0.6

# Proportional Counter



Electrical field:

$$E(r) = \frac{V_0}{\ln(b/a)} \frac{1}{r} = \frac{C' V_0}{2\pi\epsilon_0} \frac{1}{r}$$

$$C' = \frac{2\pi\epsilon_0}{\ln(b/a)} \quad \text{Capacity/length}$$

Examples:

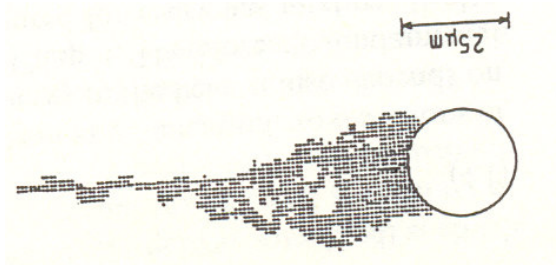
- LHCb straw tubes:  $a=12.5 \mu\text{m}$ ,  $b=2.5 \text{mm}$
- ATLAS MDT:  $a=25 \mu\text{m}$ ,  $b=15 \text{mm}$

Gas amplification – avalanche:

The diagram illustrates the avalanche process. It shows a single electron (represented by a blue circle) moving from left to right through a gas. As it moves, it ionizes other gas molecules, creating more electrons. This process repeats, leading to a rapid increase in the number of electrons, forming an avalanche. The diagram uses arrows to show the direction of electron movement and the increasing density of electrons as they approach the anode.

$$\frac{dn_e}{n_e} = \frac{dx}{L} = \alpha dx$$

# Gas amplification



General case of non-uniform fields

For uniform field

$$n(r) = n_0 \exp(\alpha r) \quad G = \frac{n}{n_0} = \exp(\alpha r)$$

$G = \text{gas amplification} = 10^4 \dots 10^5$   
(gain)

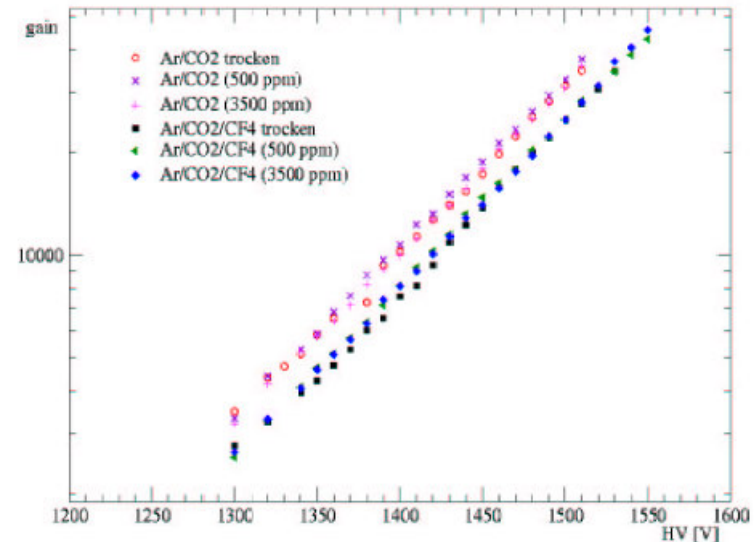
$$G = \exp\left(\int_a^{r_c} \alpha(r) dr\right)$$

$\alpha(r) = \text{Townsend coefficient}$

→  $G = k \exp(C'V)$

Raether limit:

$$\left. \begin{array}{l} \alpha x \approx 20 \\ G \sim 10^8 \end{array} \right\} \text{Phenomenological limit:} \\ \rightarrow \text{discharges (sparks)}$$



(LHCb straws)

# Pressure dependence

$$\frac{dG}{G} \sim -\frac{dp}{p}$$



$$\frac{dG}{G} = -K \frac{dp}{p}$$

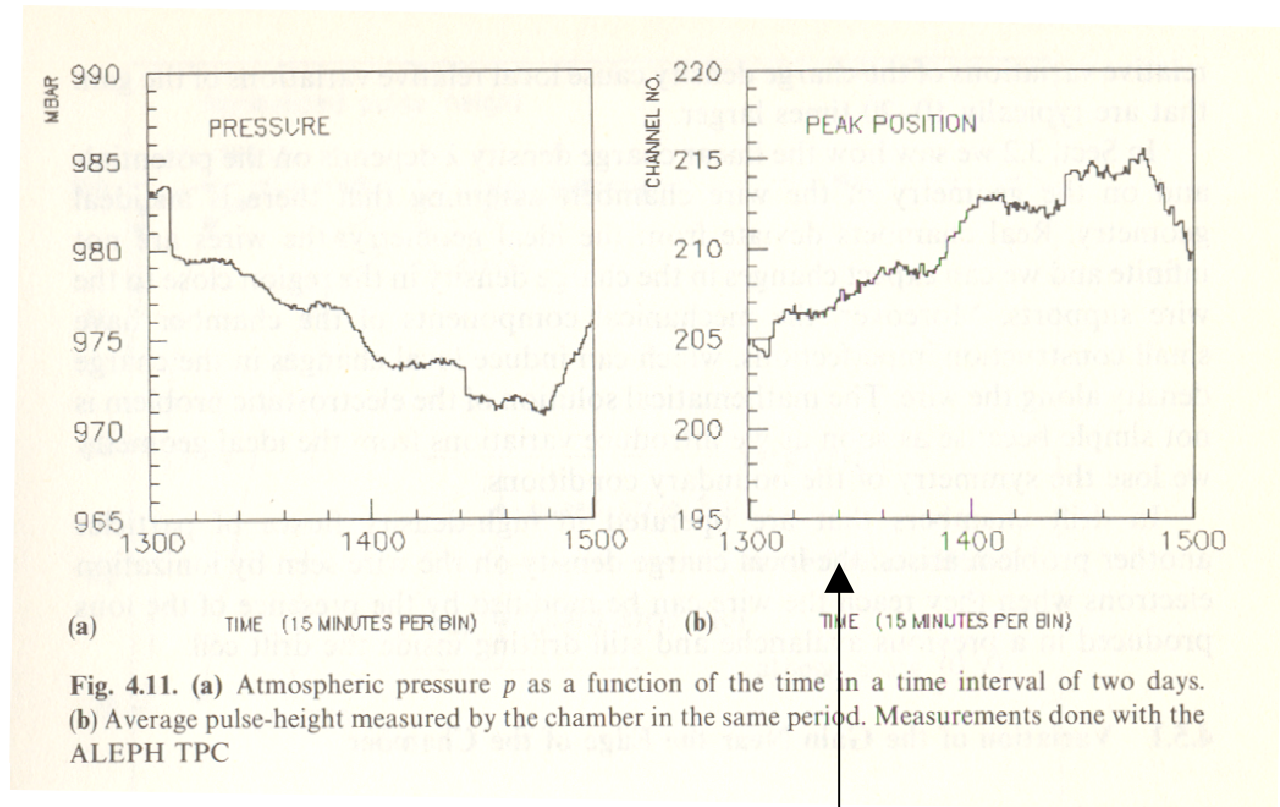


Fig. 4.11. (a) Atmospheric pressure  $p$  as a function of the time in a time interval of two days. (b) Average pulse-height measured by the chamber in the same period. Measurements done with the ALEPH TPC

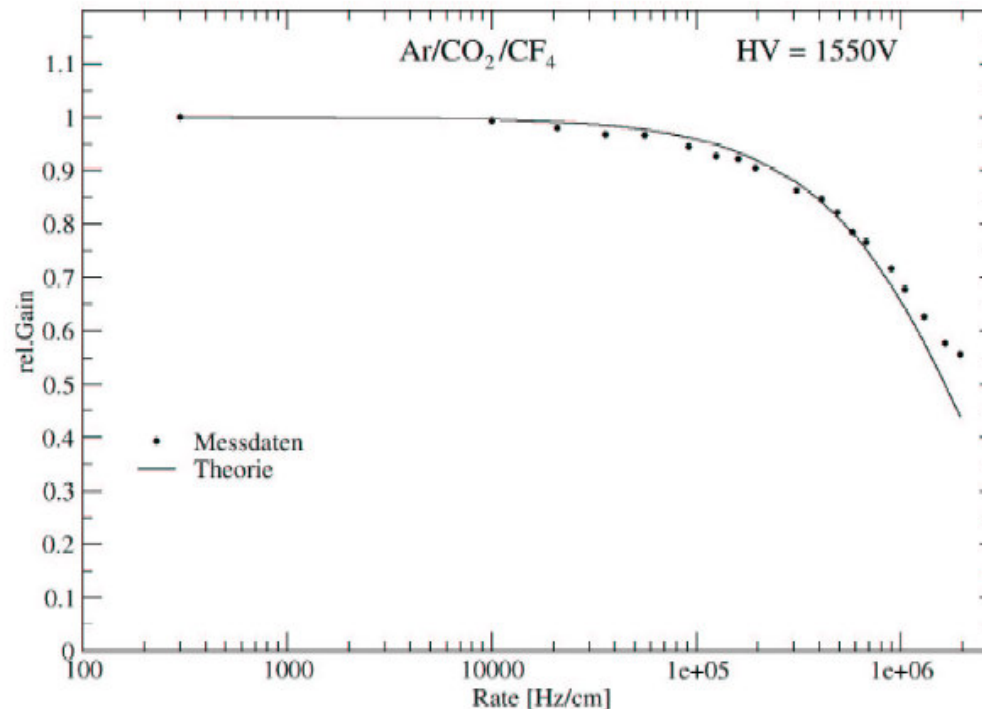
$K = \text{gas/configuration dependent constant} = 5 \dots 8$

Charge signal / rel. gain with  
mono chromatic  $\gamma$  source:

Fe55: 6.9 keV  $\gamma$ s

# Space Charge Effect

Gain drop at high particle densities: space charge around the anode.



(LHCb straws)

# 2<sup>nd</sup> Townsend Coefficient & Quencher

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UV photons from avalanche so far neglected:

UV photons → photo effect (gas molecules / cathode)

Gas amplification  $G_\gamma$  including effect of UV photons:

$$G_\gamma = G + G(\gamma G) + G(\gamma G)^2 + \dots = \frac{G}{1 - \gamma G}$$

0×    1×    2× photo effect

$\gamma$  = probability for photo effect  
2<sup>nd</sup> Townsend coefficient

For  $\gamma G \rightarrow 1$  : gas amplification becomes infinite

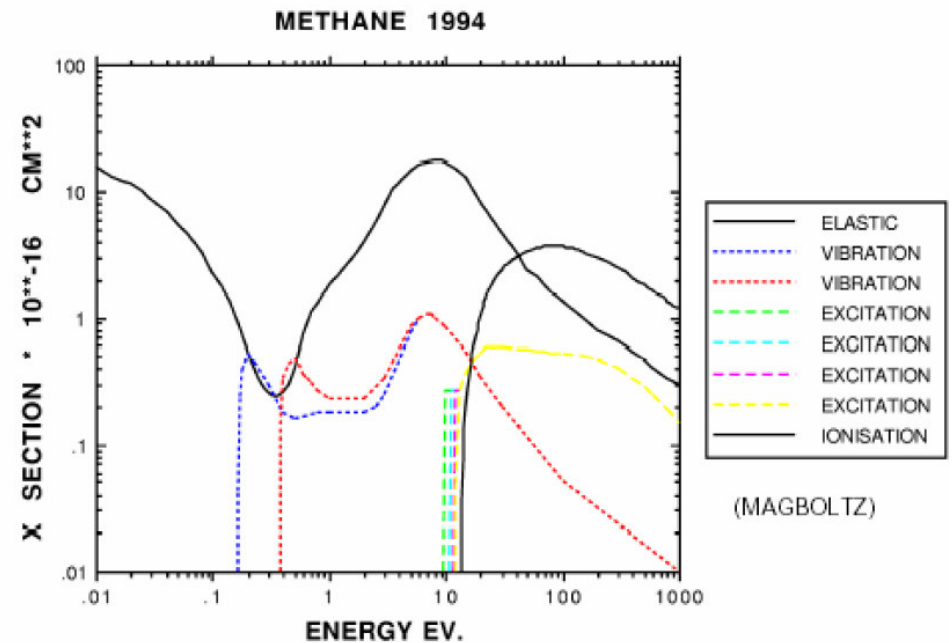
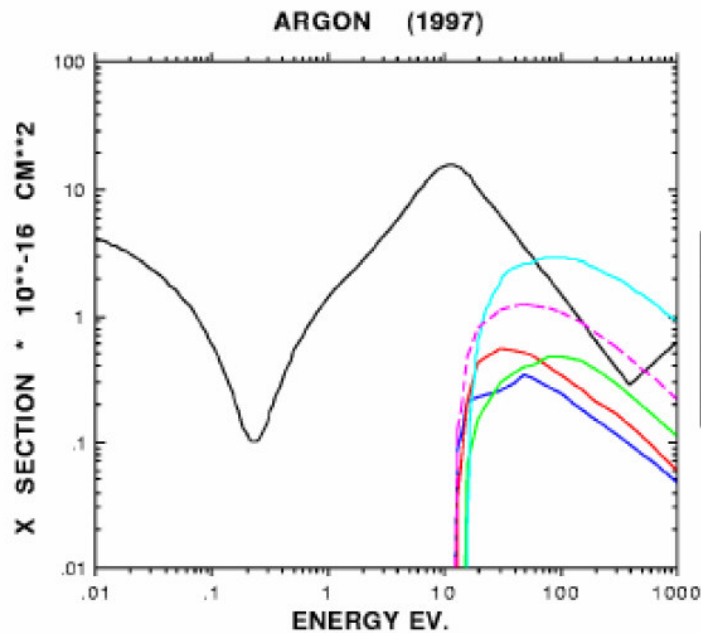
continuous discharges (sparks)

Use poly-atomic gas admixtures to absorb photons: Quencher



# Quencher

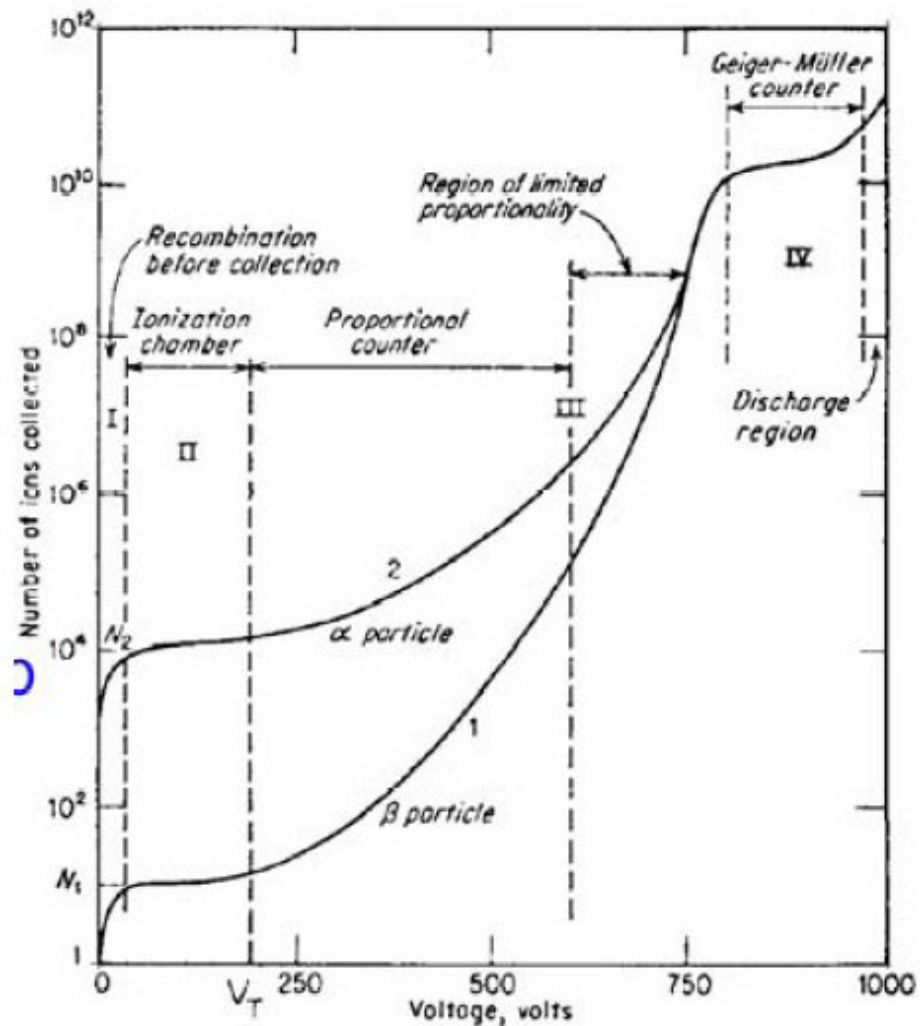
Excitation cross section for Noble gases (Ar) and poly-atomic gases (CH<sub>4</sub>)



Energy dissipation through collisions  
(radiation less transitions)

Quencher: CH<sub>4</sub>, C<sub>2</sub>H<sub>6</sub>, CO<sub>2</sub>, CF<sub>4</sub>

# Operation modes



I) **Recombination before collection**

II) **Ionization mode**

full charge collection, no charge multiplication.

III) **Proportional mode detector** signal proportional to primary ionization, gas amplifications  $10^4 \dots 10^5$ , needs quencher

IV) **Streamer mode**

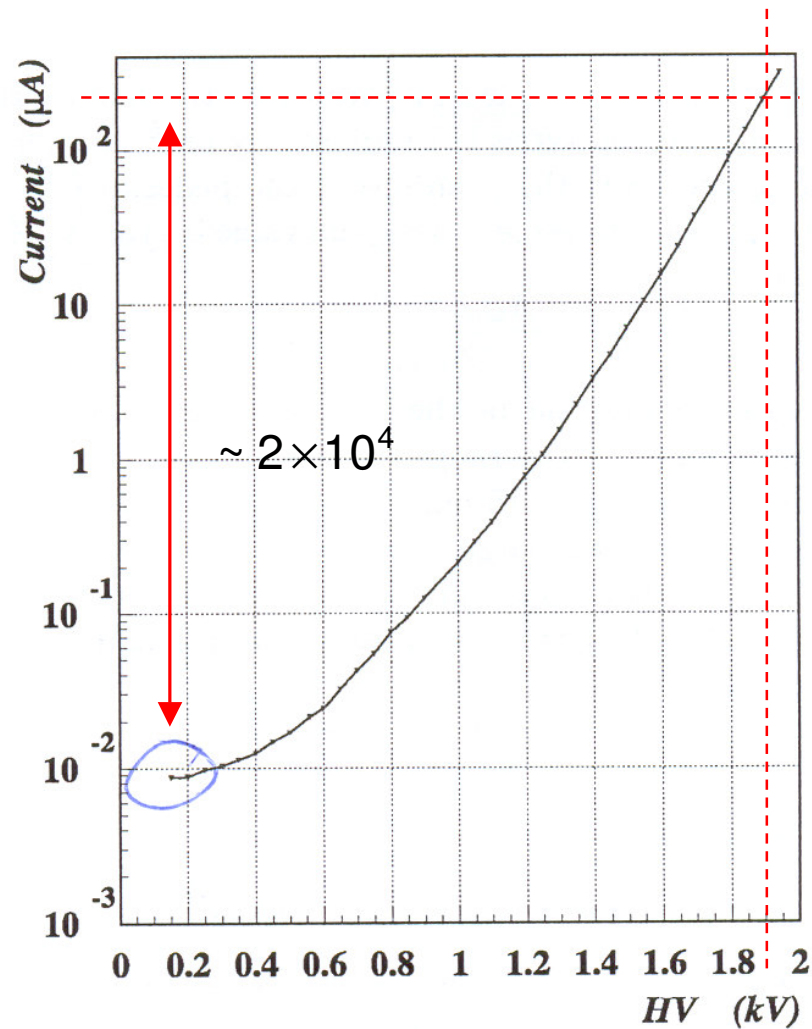
strong photon emission produced secondary avalanche, strong quencher to localize streamer, large signals

**Geiger mode**

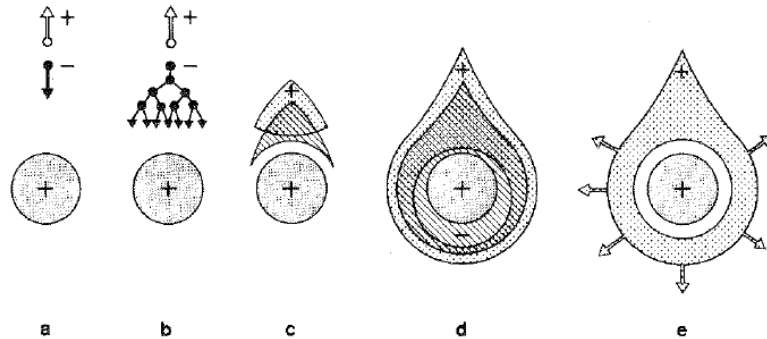
massive photon emission, no quencher  $\rightarrow$  discharge over full length, needs to be stopped by HV drop

# Absolute gain measurement

HERA-B Honeycomb Tracker:  
Chamber current at a  
constant/stable irradiation for  
different HV ( $\sim 10000$  single  
channels contribute)



# Signal development



- Avalanche starts at a few radii distance from wire (typ. 50 $\mu$ m)
- Electrons reach anode with  $\sim 1$  ns: Multiplication process takes less than 1 ns
- Ions will slowly drift towards cathode and induce a negative signal on anode

Induced signal of charge  $Q$  moved by  $dr$  in a system with total capacity  $C=l \cdot C'$

$$dv = \frac{Q}{lC'V_0} \frac{dV}{dr} dr$$

→ Electron signal  $v^- = -\frac{Q}{2\pi\epsilon_0 l} \ln \frac{a+d}{a}$  ← Assumes all charge produced at distance  $d$

→ Ion signal  $v^+ = -\frac{Q}{2\pi\epsilon_0 l} \ln \frac{b}{a+d}$

→ Total signal  $v = v^+ + v^- = -\frac{Q}{2\pi\epsilon_0 l} \ln \frac{b}{a} = -\frac{Q}{lC'}$

$$v^- / v^+ \approx 1.4 (1)\%$$

for LHCb straws  
/ ATLAS MDT

# Signal timing

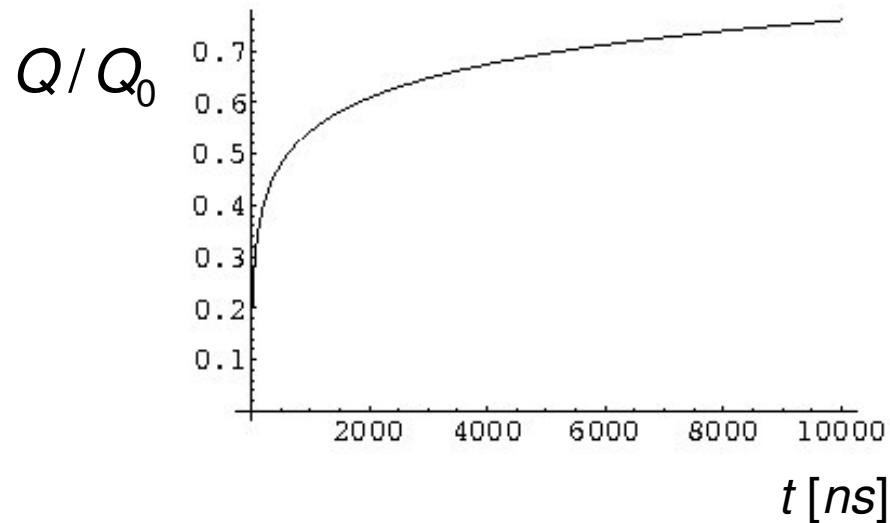
**Ion signal**  $Q(t) = Q_0 \ln(1 + t / t_0) / \ln(1 + t_{\max} / t_0)$

Signal rise time  $t_0 = \frac{pa^2}{2\mu V} \ln(b/a) \sim 5\text{ns}$

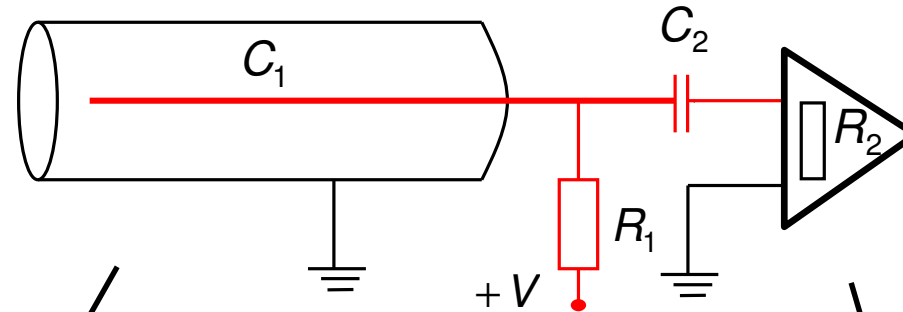
Max. ion drift time  $t_{\max} = \frac{p(b^2 - a^2)}{\mu V} \ln(b/a) \sim 130\mu\text{s}$

$\left\{ \begin{array}{l} p = \text{pressure} \\ V = \text{voltage} \\ \mu = \text{ion mobility} \end{array} \right.$

LHCb straws

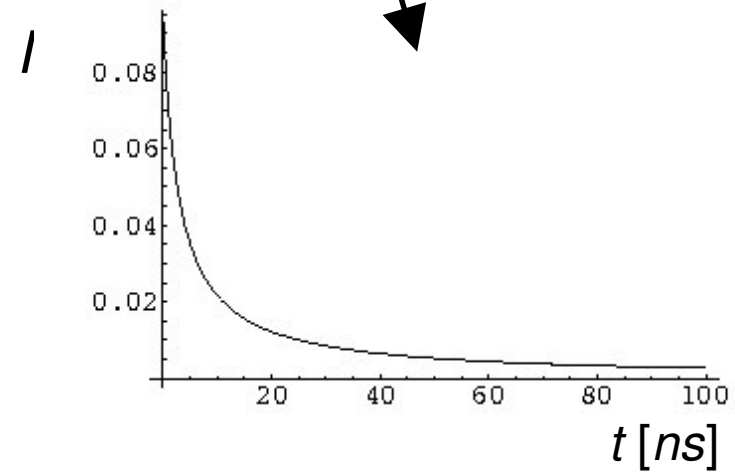
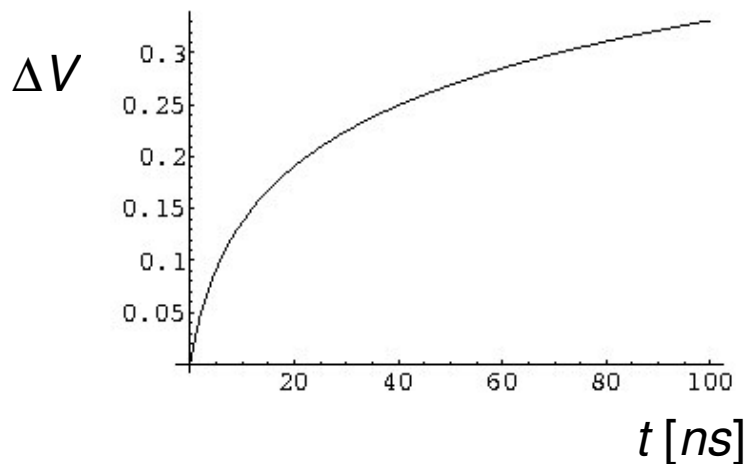


# Signal readout



$R_2 C_2, R_2 C_1 \gg t_0$   
“Voltage source”

$R_2 C_2, R_2 C_1 \ll t_0$   
“Current source”



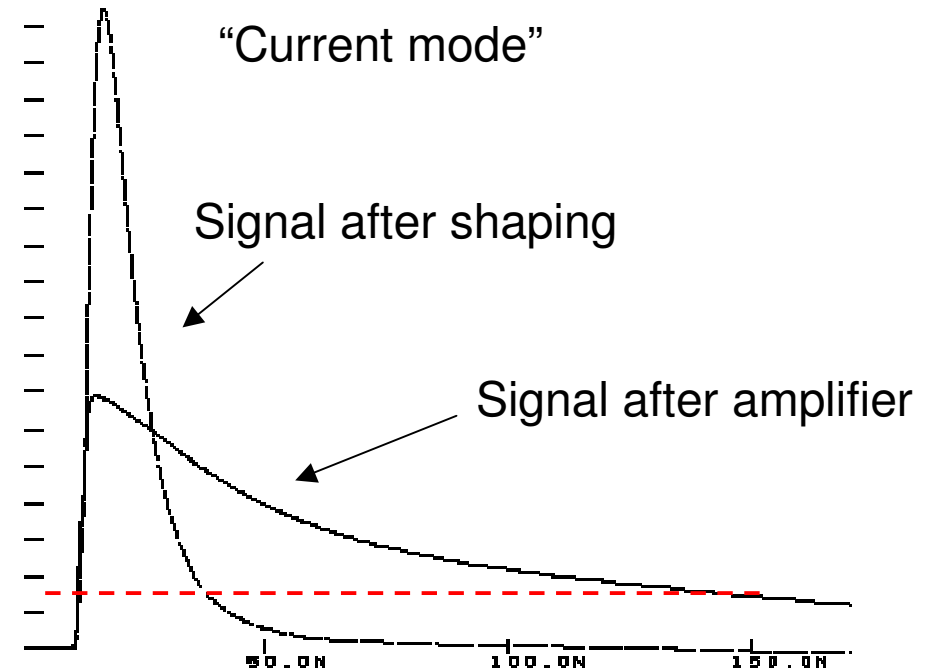
# Signal Shaping

Long ion tail will shadow  
subsequent ionizing particles:

If threshold for particle detection is  
used, signal stays long time above  
threshold.



RC/CR Shaping

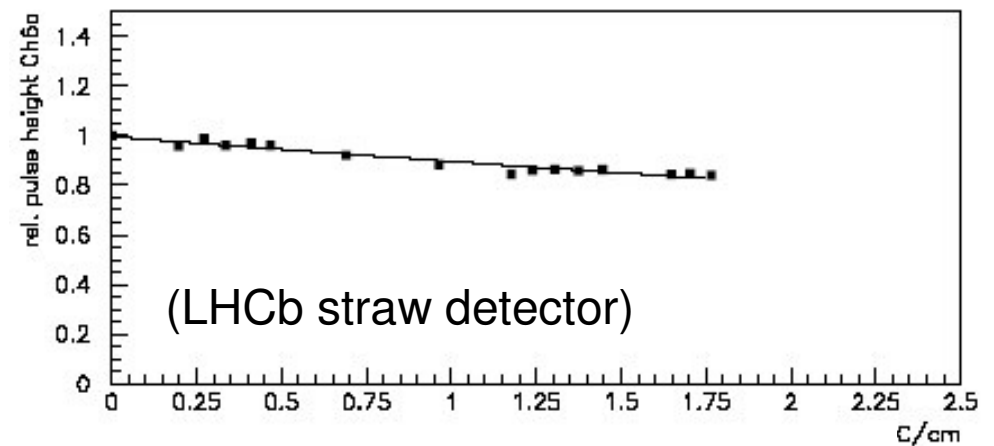
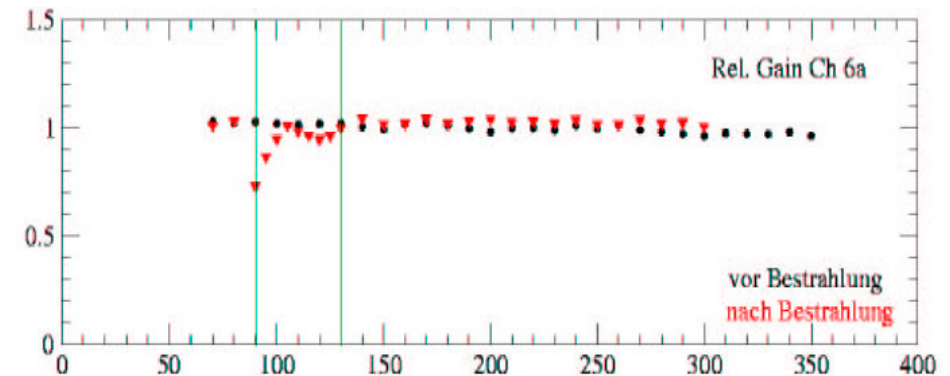
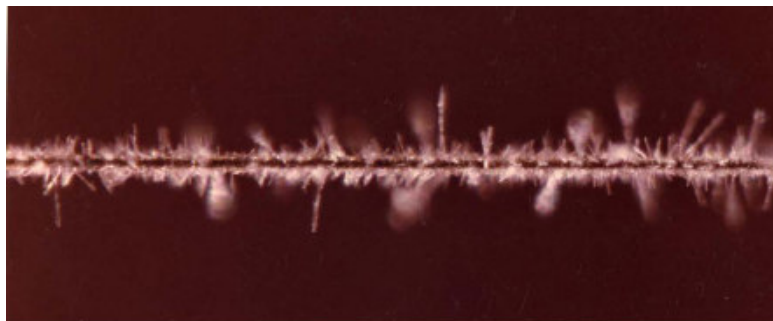


# Ageing Effects

In a high rate environment (e.g. LHC) wire chambers could show several “ageing effects”, nearly all of them triggered by pollutants in the gas/chamber:

- **Deposits** on the anode wire:  
→ **gain loss**

Study gain as function of total charge deposition per length

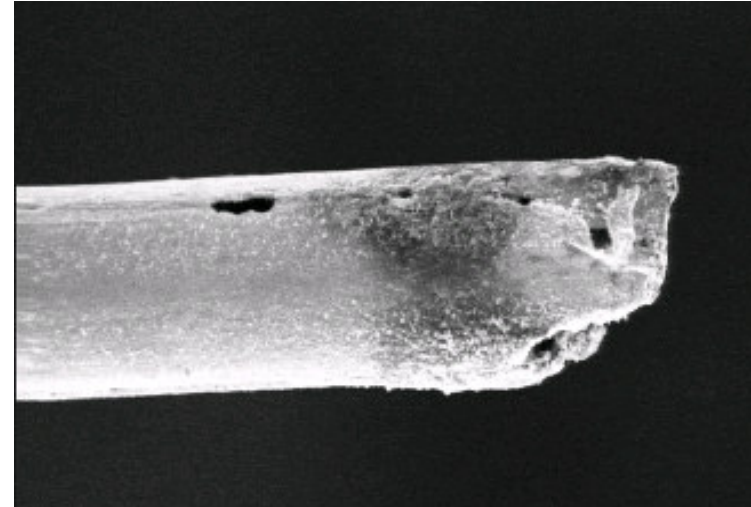




# Ageing Effects II

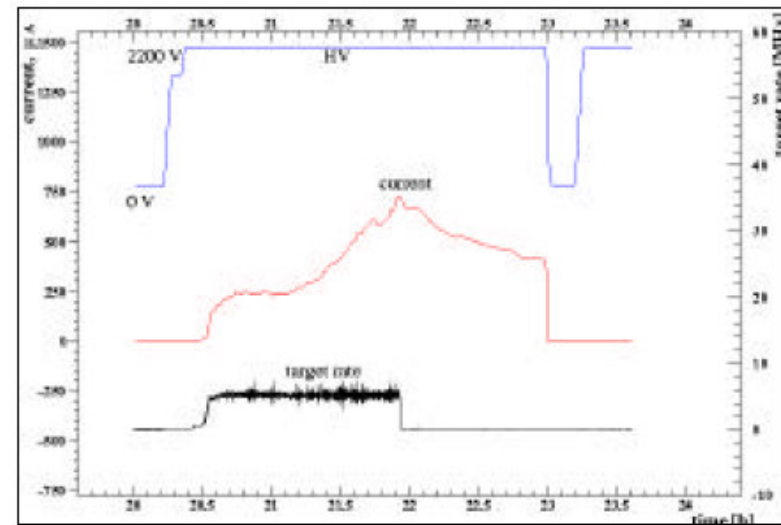
- **Etching** of anode wire in case of counting gas with  $\text{CF}_4$  admixtures

(LHCb straws)



- **Modification** of the cathode surface:  
Malter effect → self sustaining currents

(HERA-B, Honeycomb tracker)



# Tools for detector development

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## **Garfield - simulation of gaseous detectors**

*<http://consult.cern.ch/writeup/garfield/>*

Garfield is a computer program for the detailed simulation of two- and three-dimensional drift chambers

## **Magboltz - Transport of electrons in gas mixtures**

*<http://consult.cern.ch/writeup/magboltz/>*

Magboltz solves the Boltzmann transport equations for electrons in gas mixtures under the influence of electric and magnetic fields.

## **Heed - Interactions of particles with gases**

*<http://consult.cern.ch/writeup/heed/>*

HEED is a program that computes in detail the energy loss of fast charged particles in gases, taking delta electrons and optionally multiple scattering of the incoming particle into account. The program can also simulate the absorption of photons through photo-ionization in gaseous detectors.

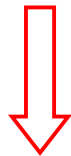
# Multi Wire Proportional Chamber

Charpak, 1967/68  
Nobel prize 1992

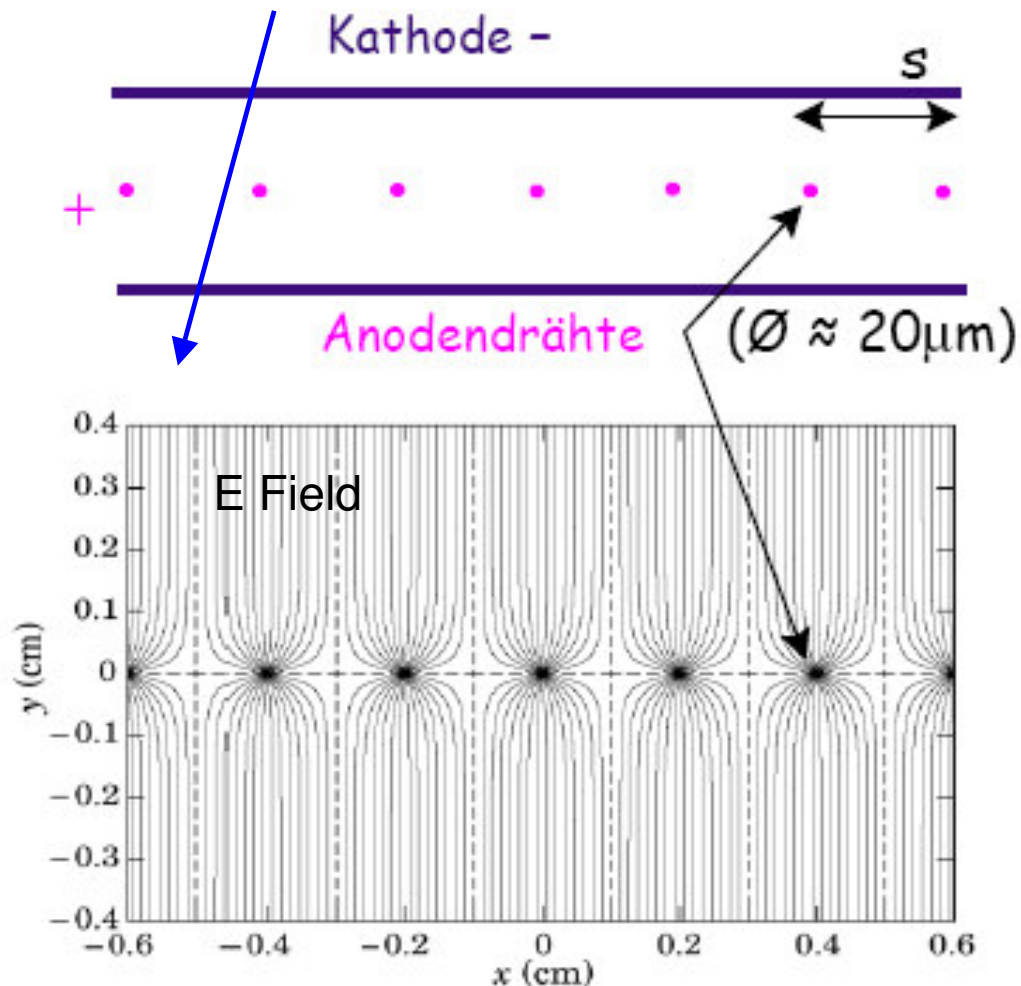
spatial resolution

$$\sim s/\sqrt{12}$$

With typ. wire distance  
 $s \approx 2\text{mm} \Rightarrow \delta s \approx 0.6\text{ mm}$

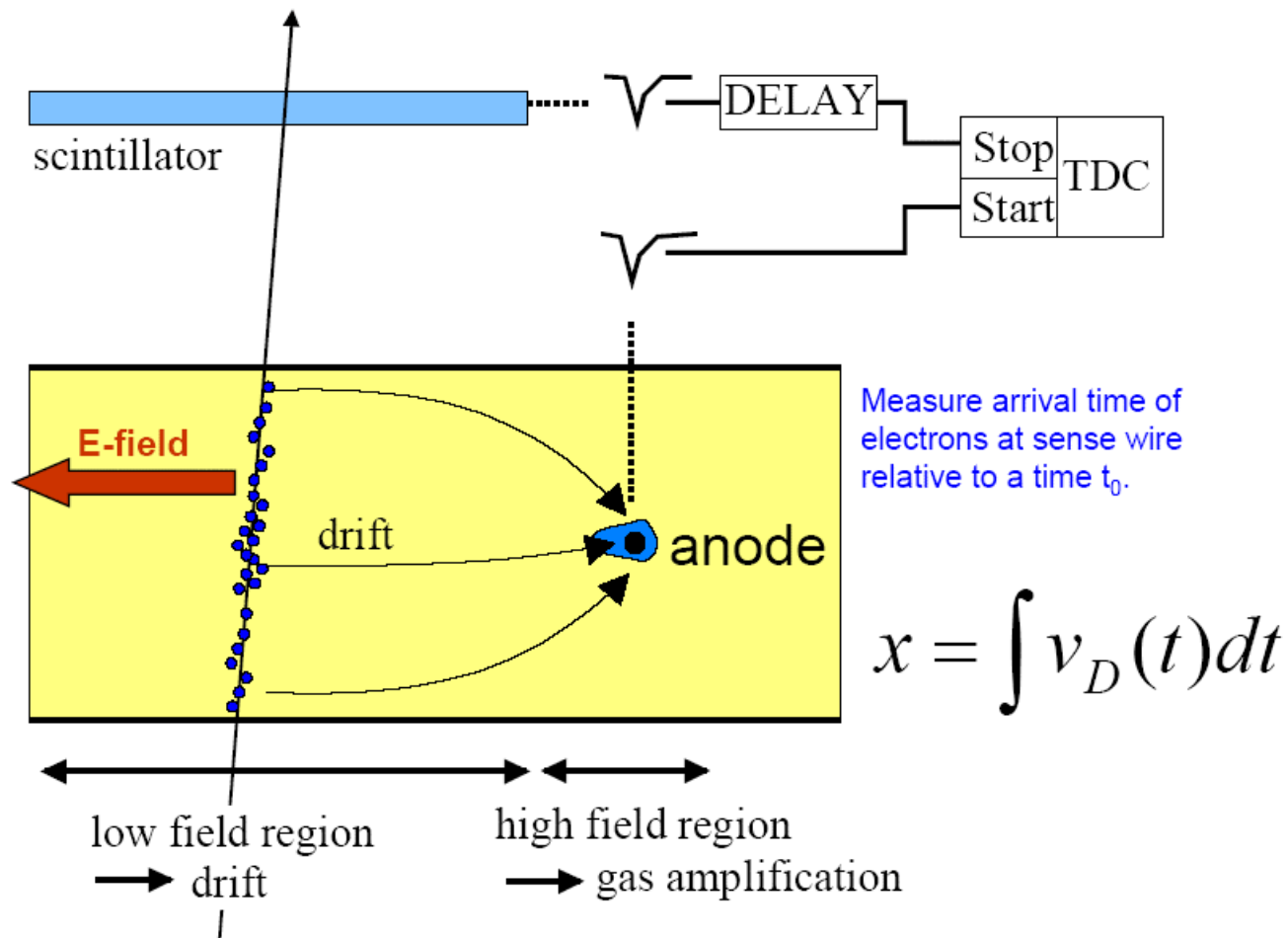


Significantly better spatial  
resolution is not achievable  
with MWPCs

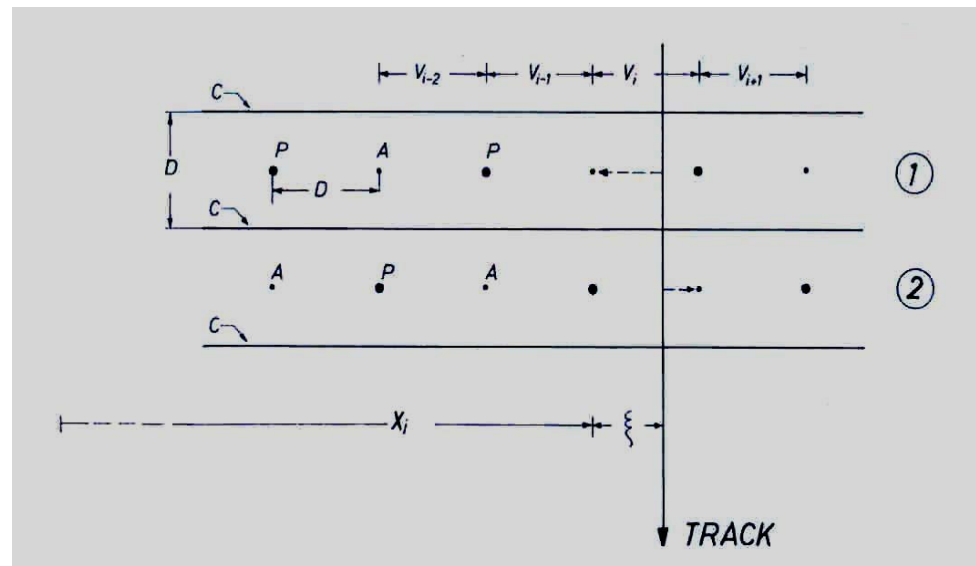
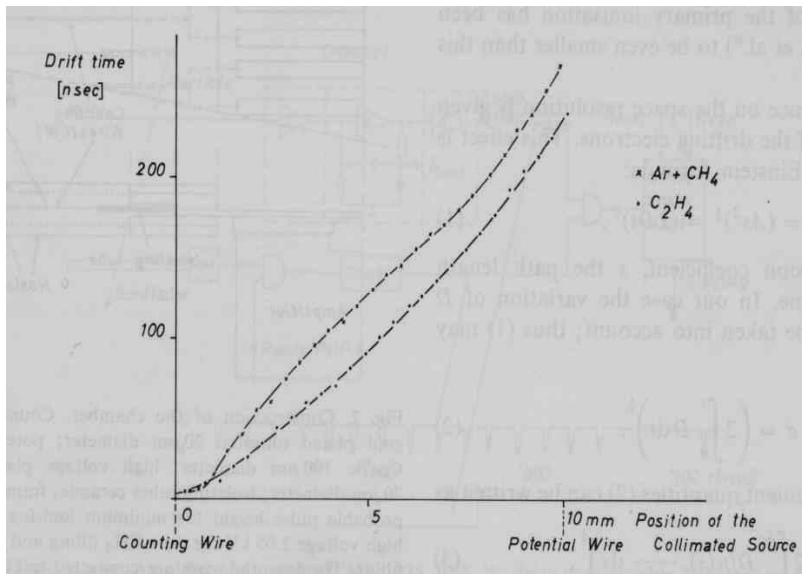


MPWC = Multiwire proportional chambers

# Drift Chamber



- Drift time  $\Rightarrow$  drift distance and intersection point of particle
- Spatial resolution of  $\sim 100 \mu\text{m}$  achievable



## THE MULTIWIRE DRIFT CHAMBER

### A NEW TYPE OF PROPORTIONAL WIRE CHAMBER\*

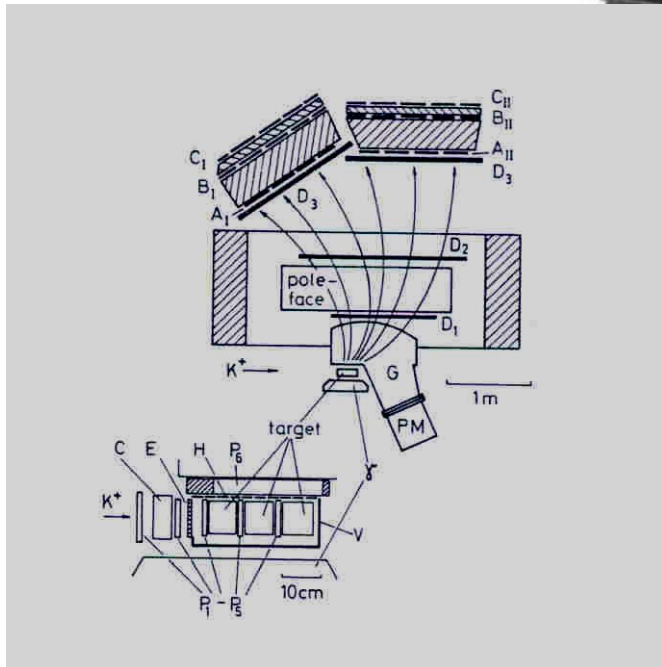
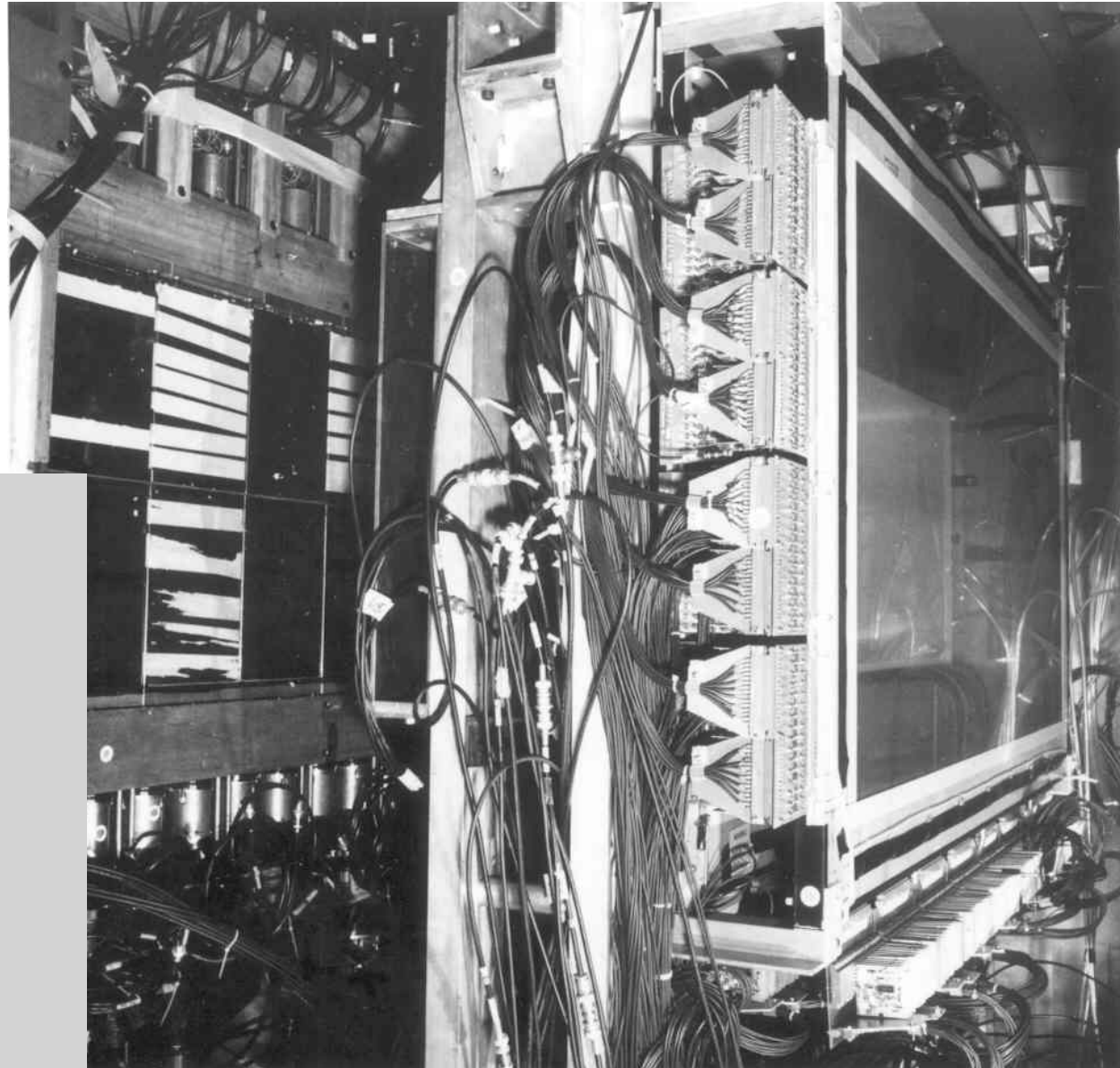
A. H. WALENTA, J. HEINTZE and B. SCHÜRLEIN

*I. Physikalisches Institut der Universität Heidelberg, Heidelberg, Germany*

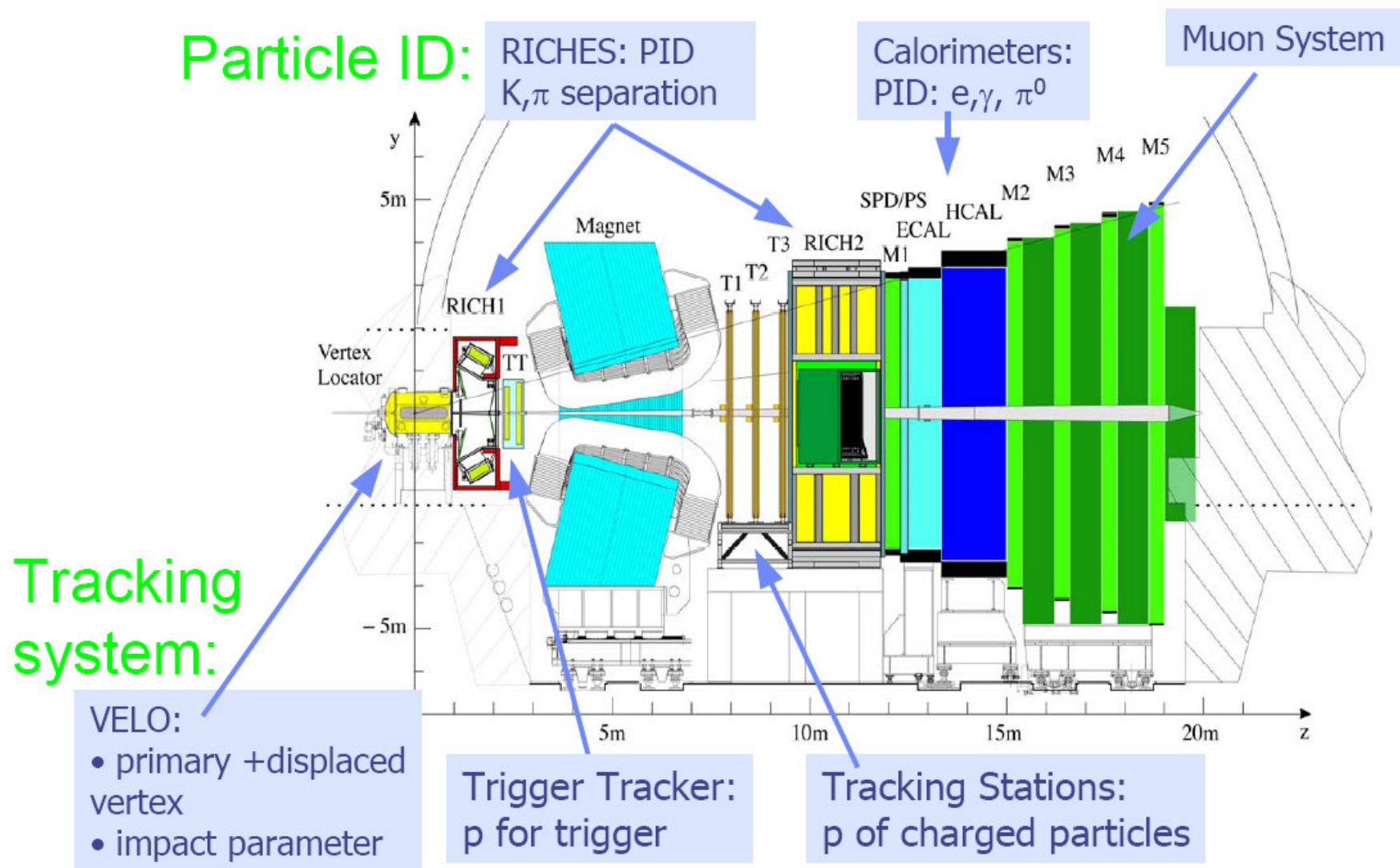
Received 27 November 1970

# First Drift Chamber

*Physikalisches  
Institut,  
Heidelberg, 1971*



# LHCb Outer Tracker



# Outer Tracker - Demands

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## 1. Measurement of momentum

( $\delta p/p = 0.4\%$  @ 20GeV)

→  $\sigma_x < 200\mu\text{m}$

## 2. LHC bunch structure

→ fast charge collection

## 3. LHC environment

→ rate capability ( $\sim 400\text{kHz}/\text{cm}^2$ )  
ageing resistance up to 2C/cm  
( $\sim 10$  years at LHCb)

## 4. Pattern recognition

→ Occupancy  $< 7\%$



# Planar Tracking Stations

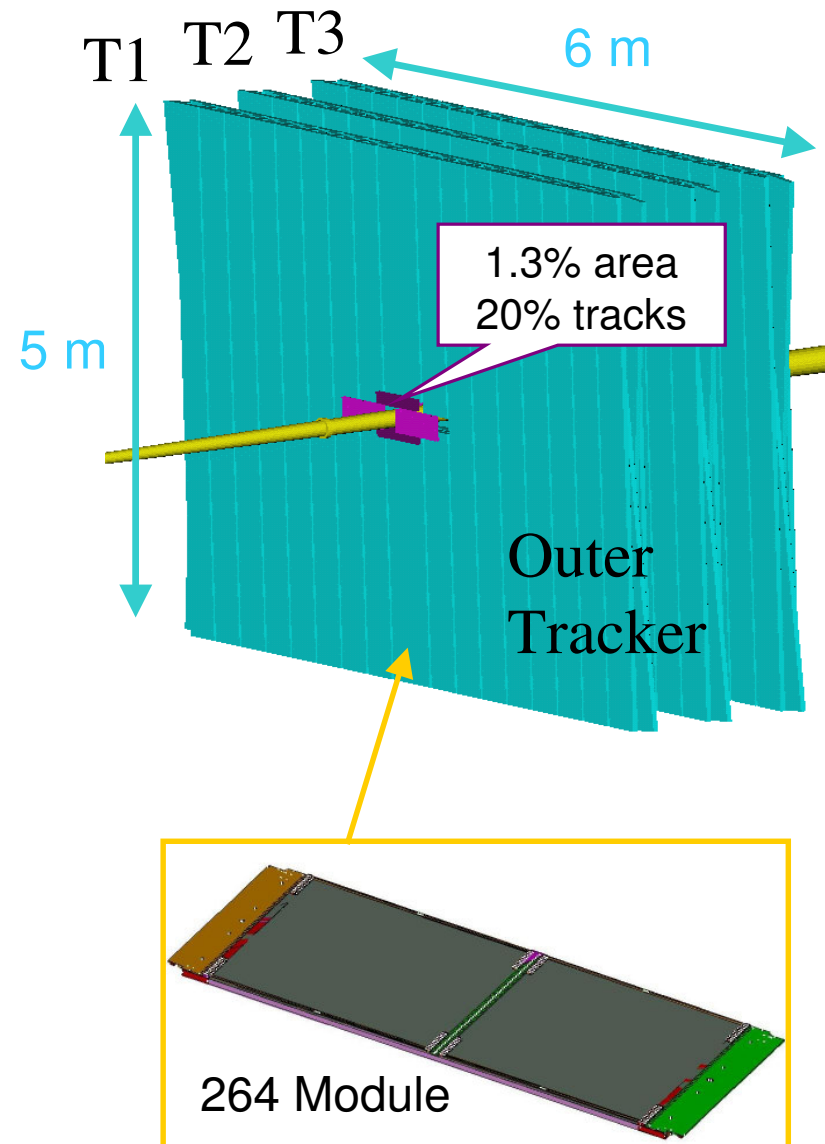
3 stations (6m x 5m)

4 planes per station (X/U/V/X)  
2 layers of straw tubes  
per plane

→ 55.000 straw tubes  
137.5 km of straw tubes

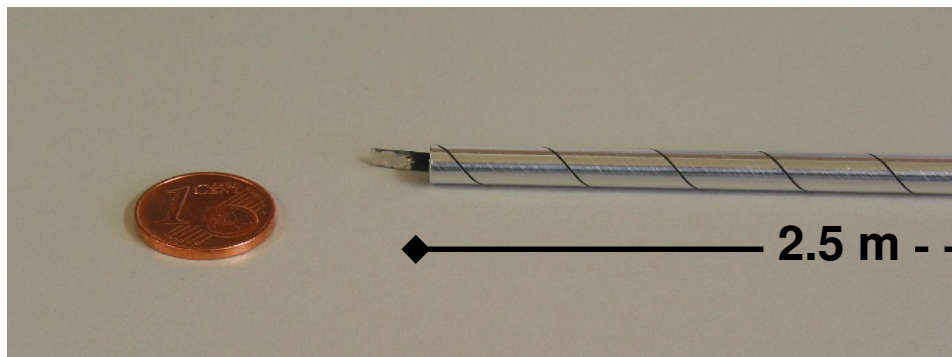
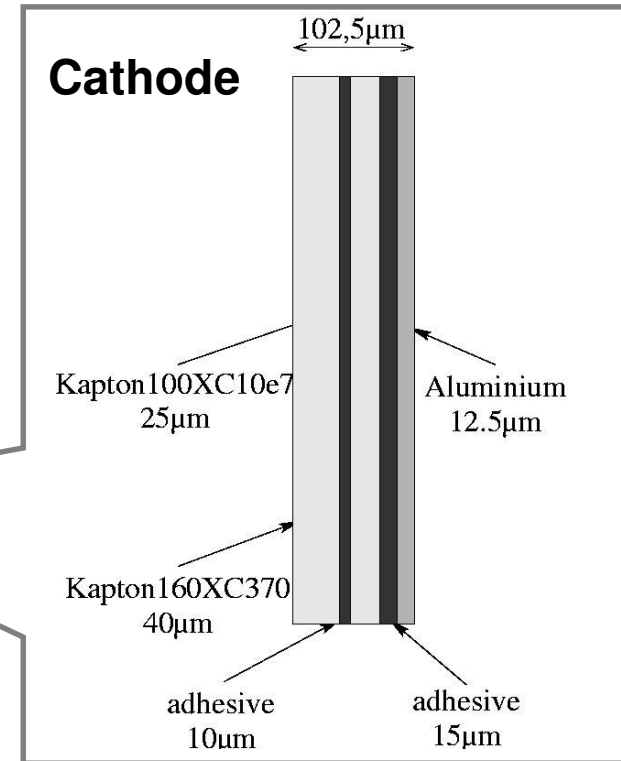
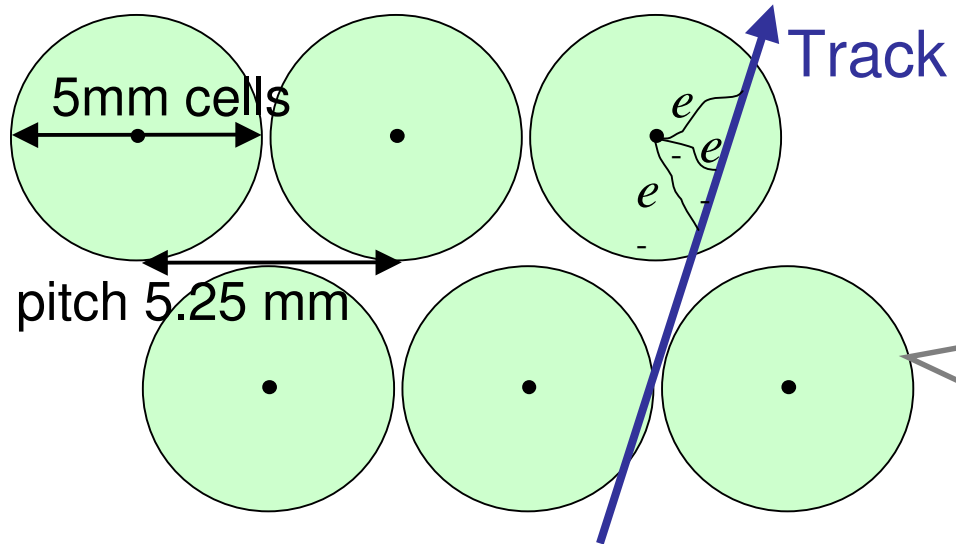
→ modular design

264 modules of 5 m x 0.34 m  
256 straws of 2.5 m



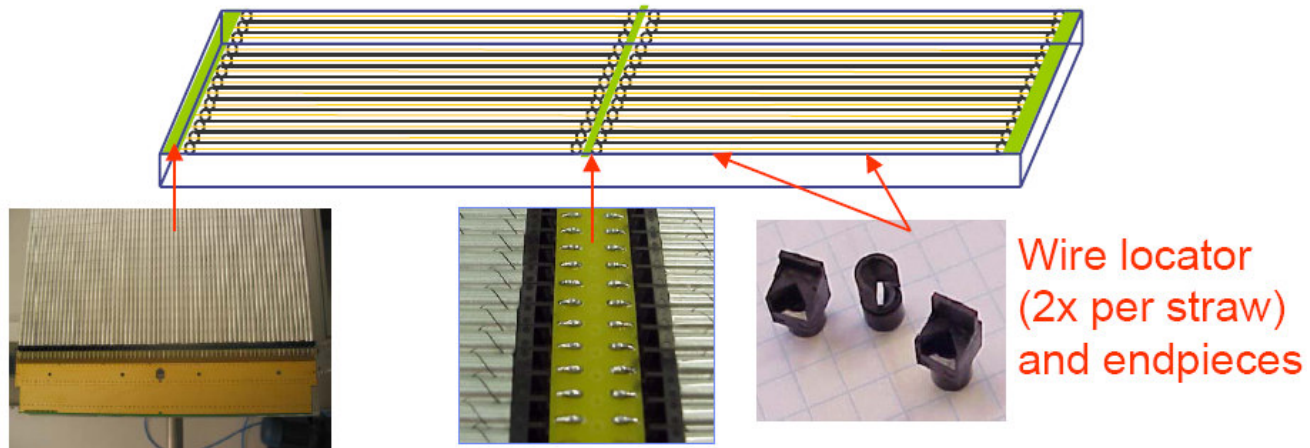
# Straw Tubes

## Straw tube drift chamber modules



Straw tube winding:  
Lamina Dielectrics Ltd.

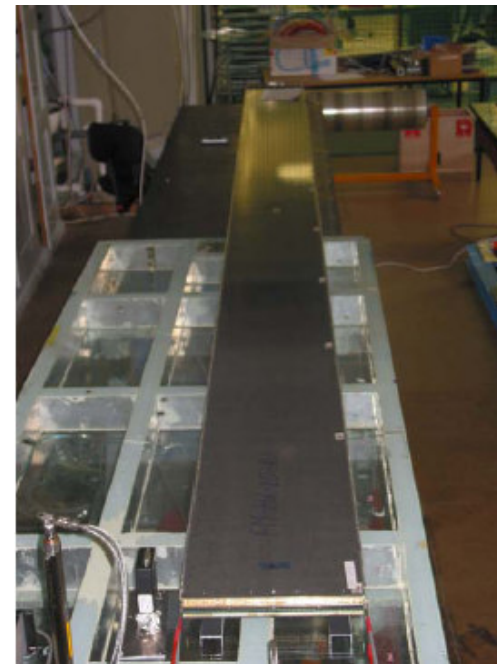
# Module Construction



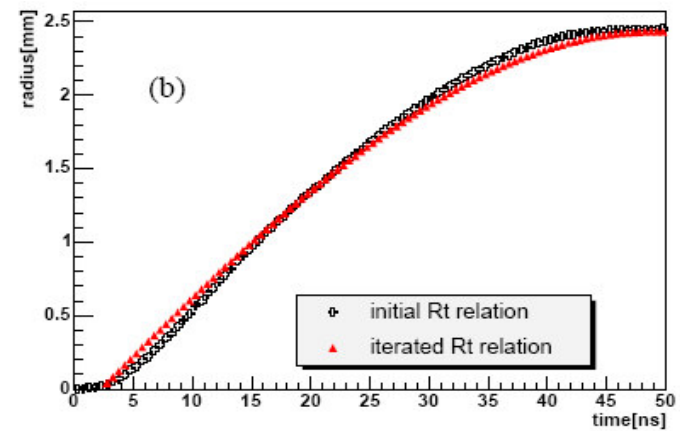
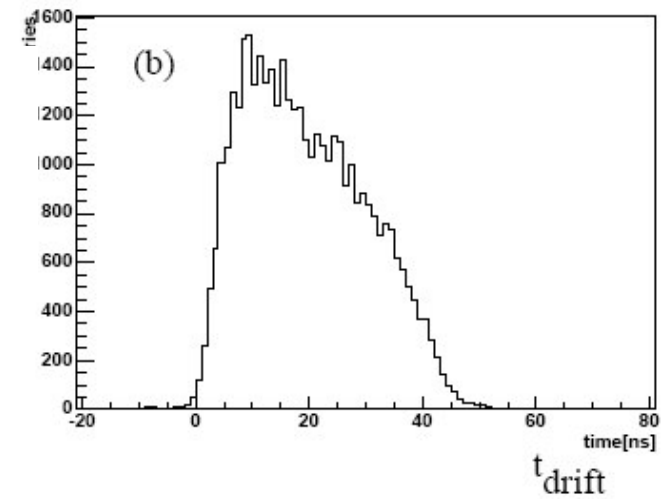
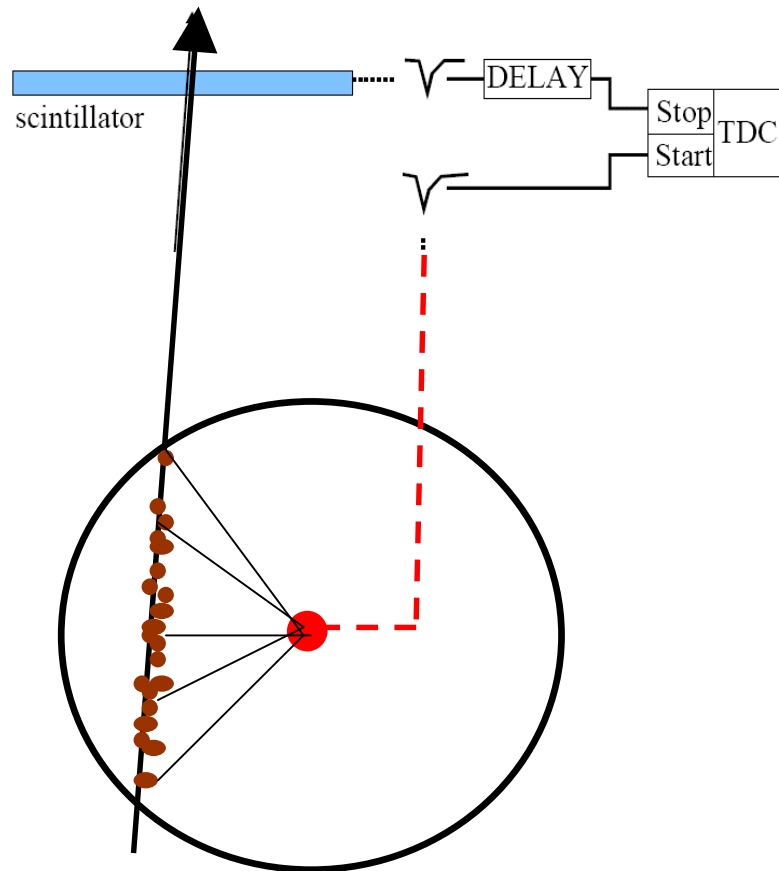
2x



||



# Drift time spectrum



# Wire Chambers -Summary

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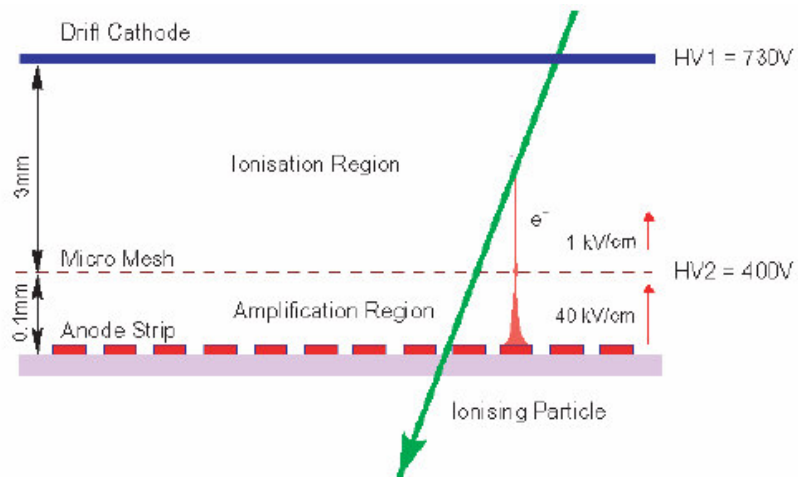
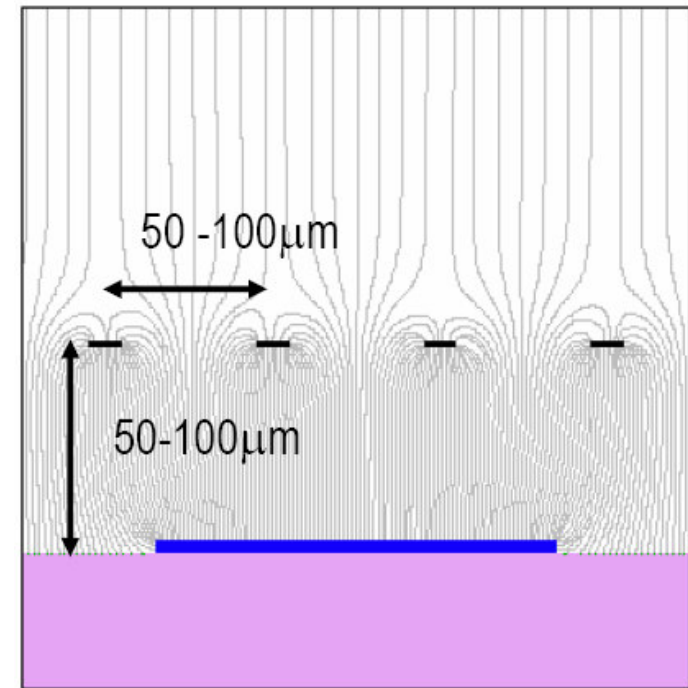
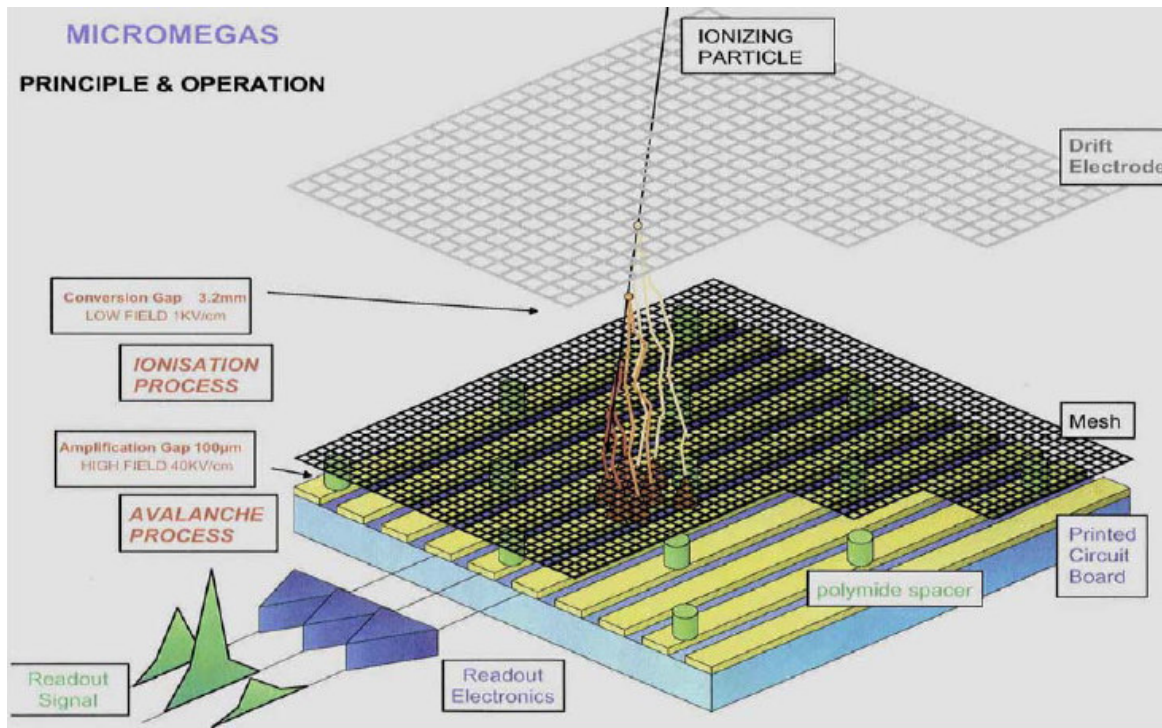
- Technology widely used in HEP experiments
- Proven to be robust, precise and reliable devices
- Detector geometry and counting gas can be tuned and optimized to fulfill requirements of the given application
- Play an important role in all LHC detectors
- Will continue to be used in future particle detectors:  
ILC detector PANDA, CBM

# Micro pattern detectors

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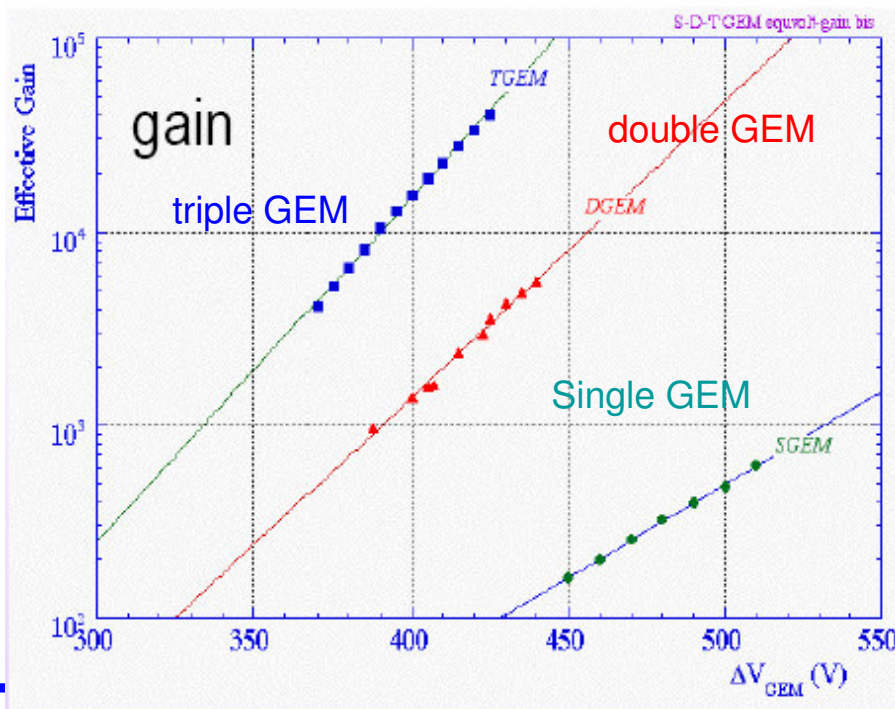
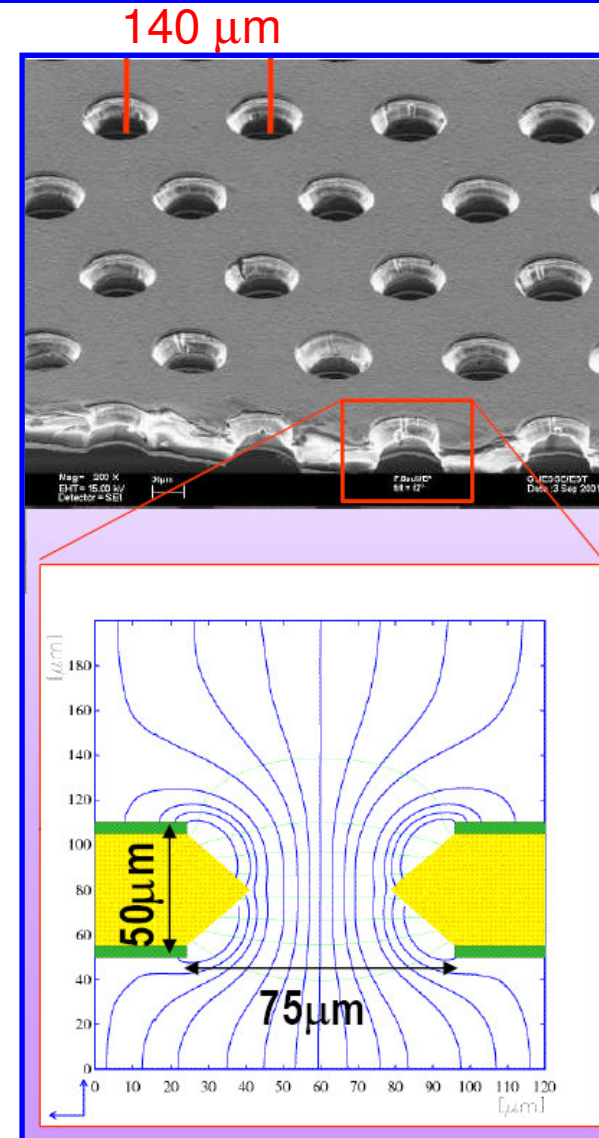
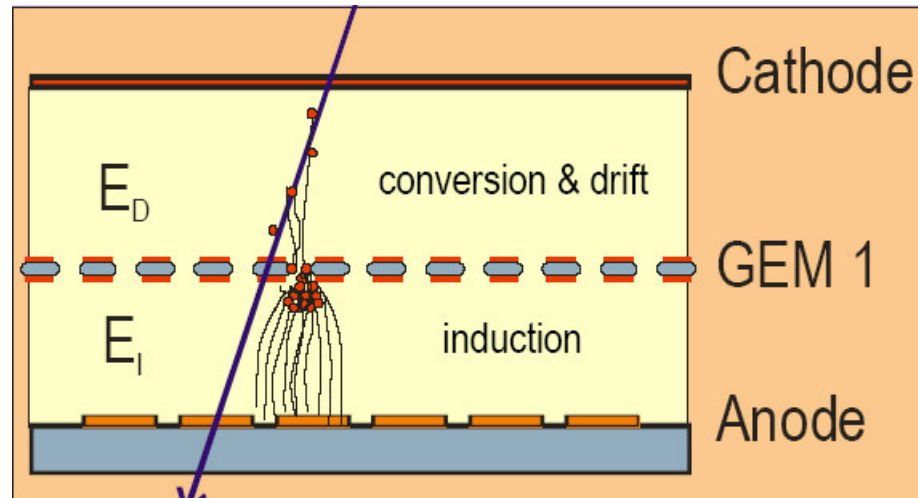
- Micromegas
- GEM detectors

# Micromegas



Large efficiency plateau > 40 V  
Time resolution : 9 ns  
Spatial resolution < 70 µm

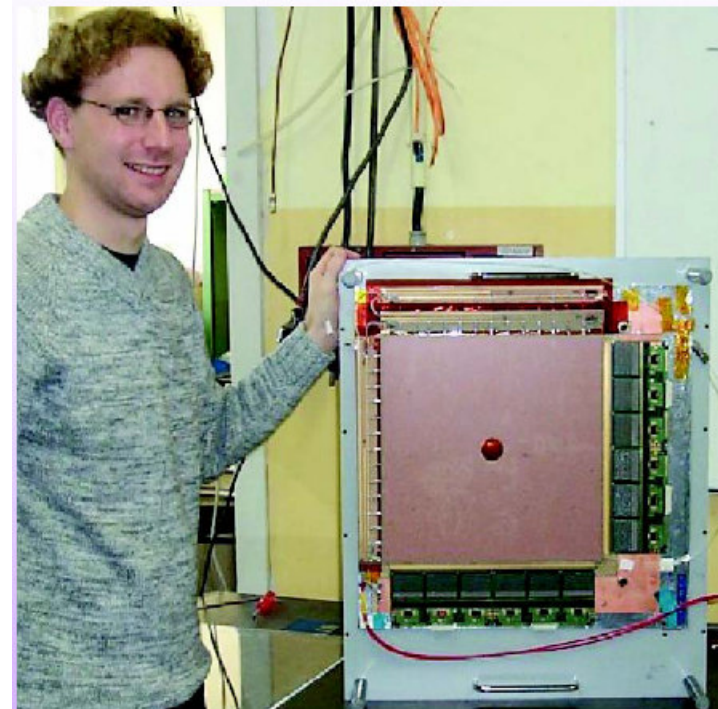
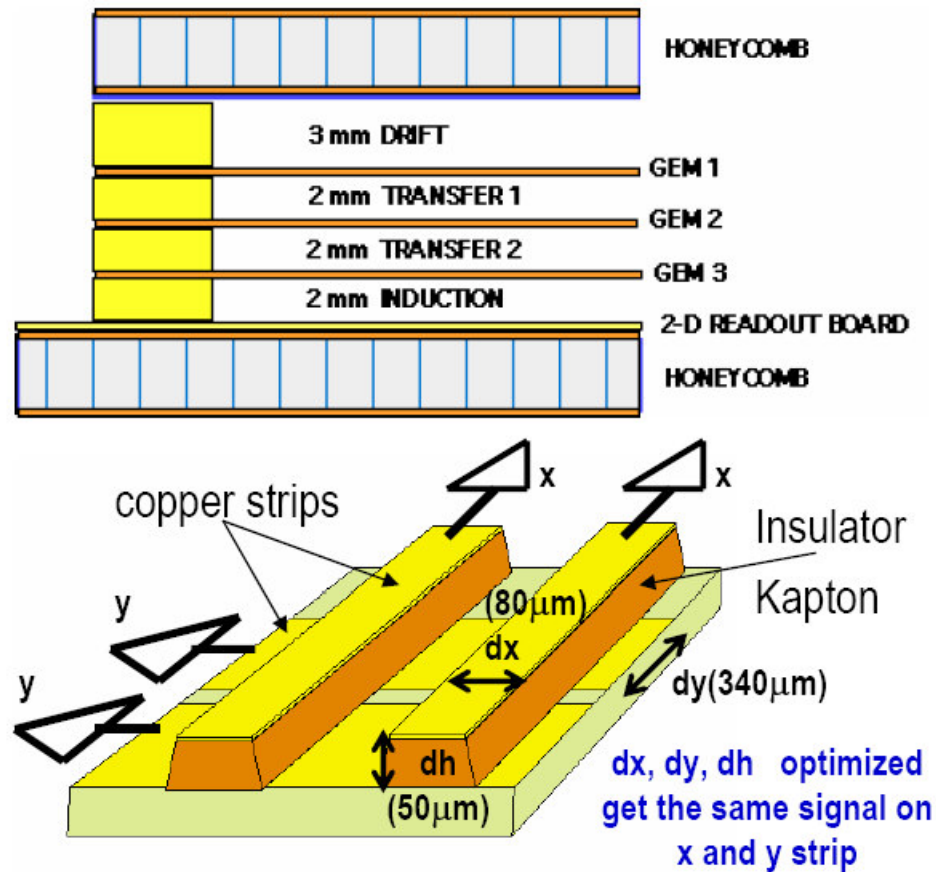
# Gas Electron Multiplier (GEM)



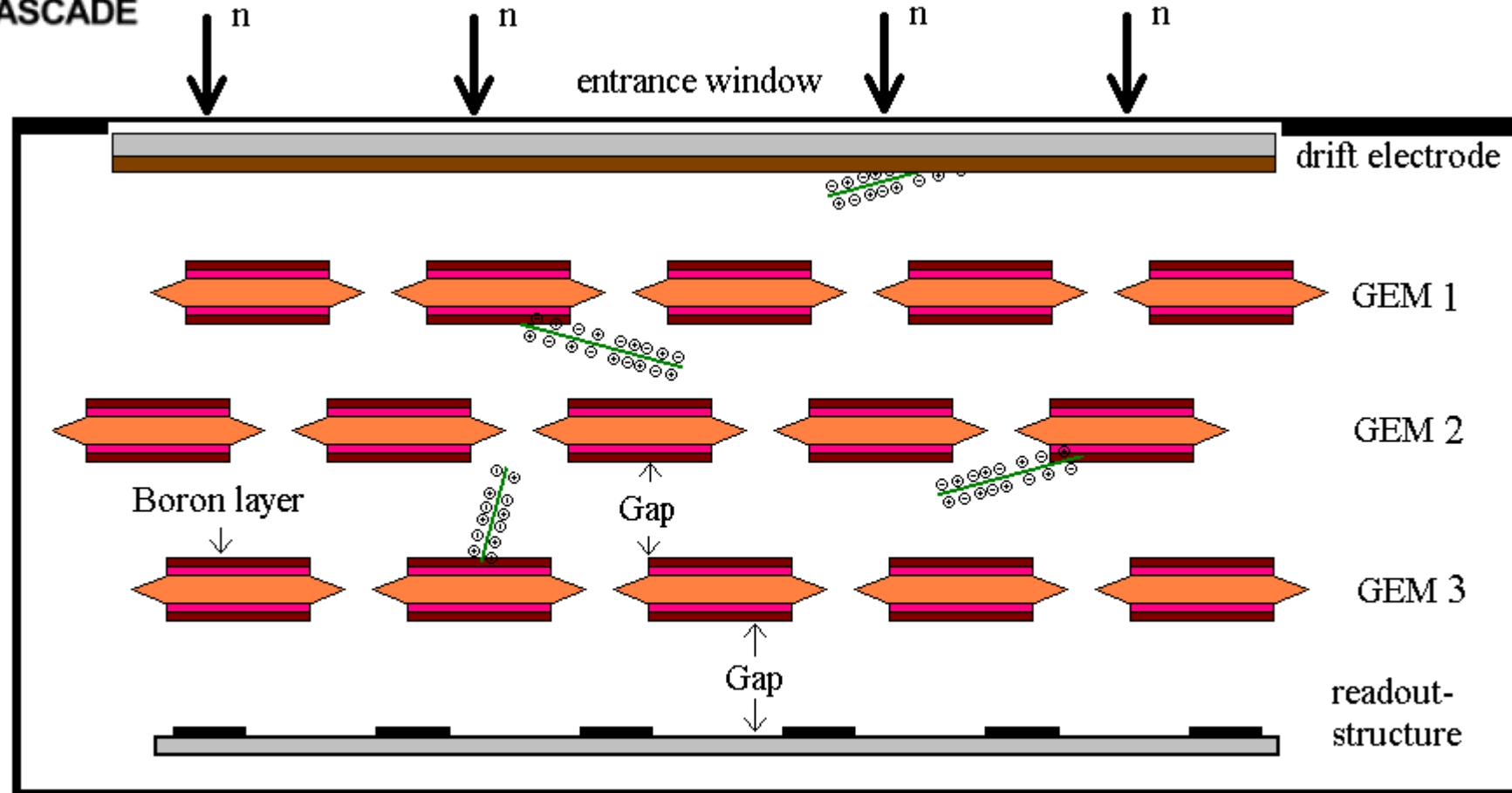


# Compass Triple-GEM

- 3GEM foils, active area: 30.7 x 30.7 cm<sup>2</sup>
- 2D readout, 400  $\mu\text{m}$  pitch
- Radiation length 0.7%  $X_0$

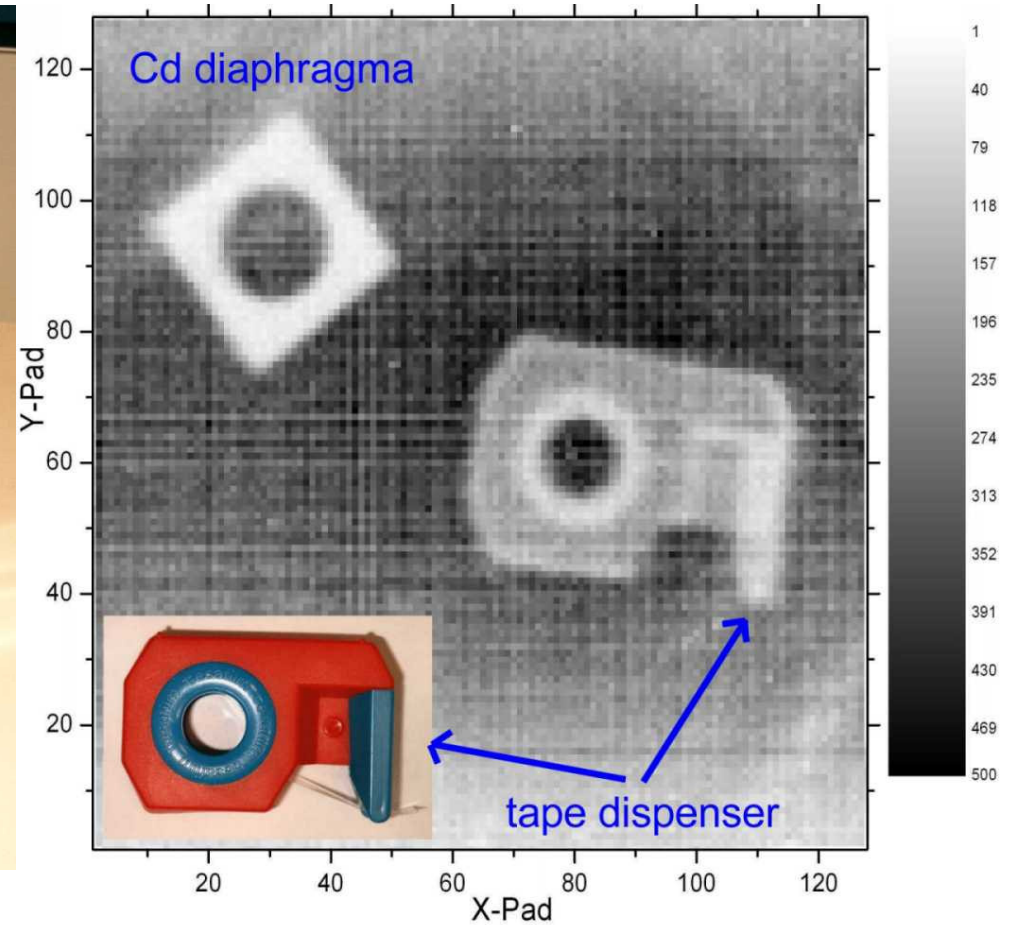
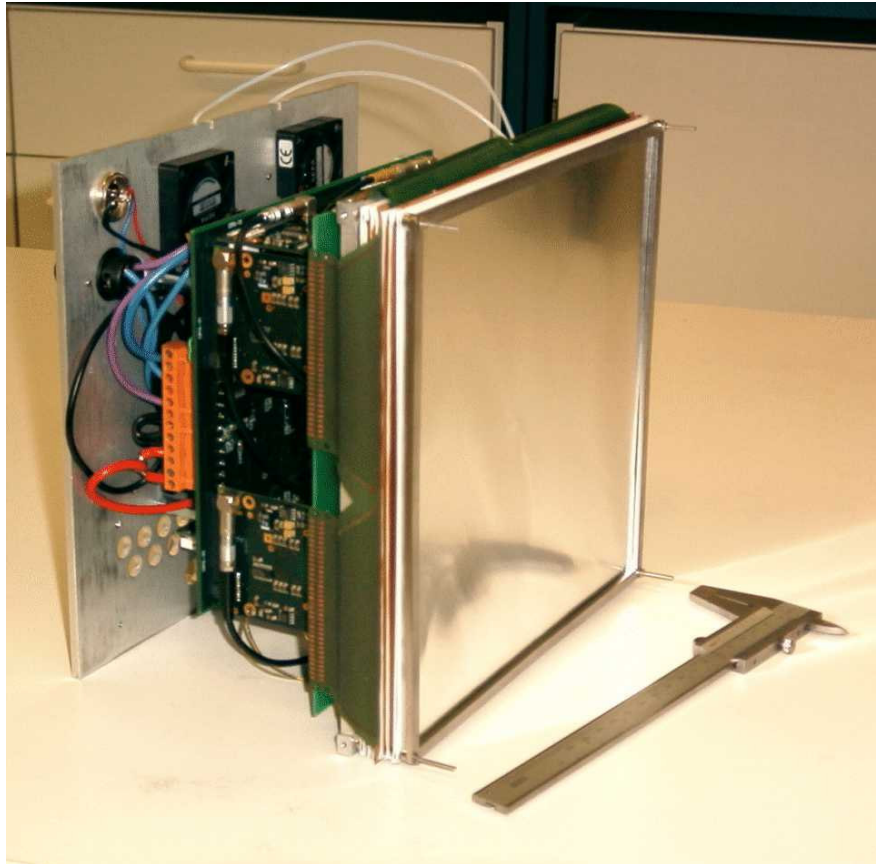


# Novel Neutron Detector



— Kapton — Copper — Boron — ionization track

# CASCADE Neutron Detector



# Detector development tools

## Simulation Tools:

- **MAXWELL** Ansoft

electrical field maps in 2D & 3D, finite element calculation for arbitrary electrodes & dielectrics

- **HEED** I.Smirnov

energy loss, ionization

- **MAGBOLTZ** Steve Biagi

electron transport properties: drift, diffusion, multiplication attachment

- **Garfield** R.Veenhof

fields, drift properties, signals (interfaced to programs above)

- **PSpice** Cadence D.S.

electronic signal processing

These tools allow to simulate accurately detector configurations before construction

