



Study of Tau Decays with s-Quark Final States/ Preshower Studies at BaBar

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- Tau-Physics at BaBar
- Measurement of $|V_{us}|$
- $\tau^- \rightarrow \eta K^- \nu_\tau$ Analysis
- Identification of Preshowers
- Application of Preshowers



BaBar Experiment: PEP-II Collider

PEP-II at SLAC in Kalifornia

Electron-Positron-Collisions:

$e^- : 9.0 \text{ GeV}$ $e^+ : 3.1 \text{ GeV}$

→ two storage rings

→ Boost

→ center of mass energy: 10.58 GeV
• corresponds to $Y(4S)$ resonance



B-Factory

$$e^+ e^- \rightarrow B \bar{B} : \quad \sigma = 1.05 \text{ nb}$$

... but also Tau-Factory

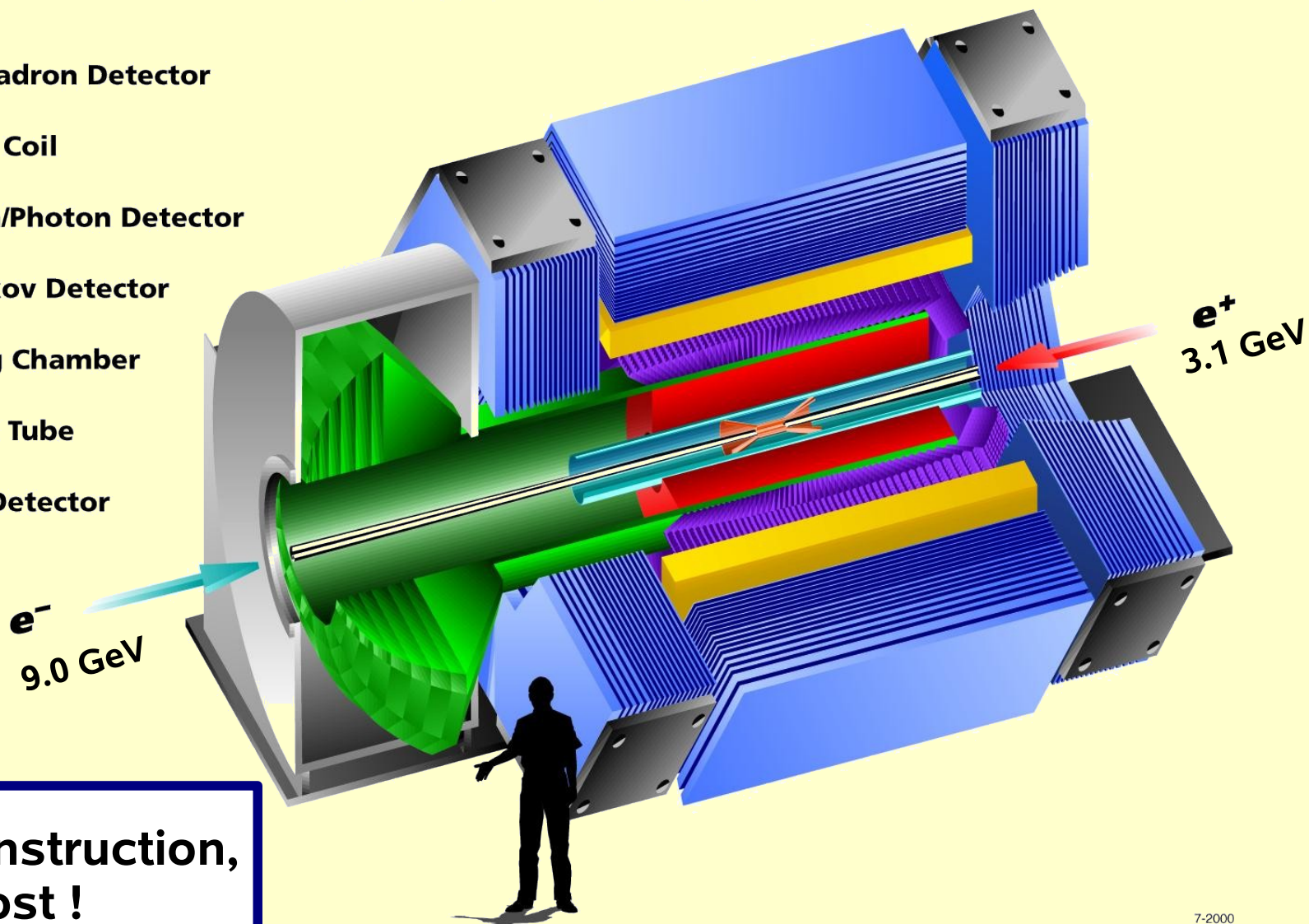
$$e^+ e^- \rightarrow \tau \tau : \quad \sigma = 0.89 \text{ nb}$$



BaBar Experiment: Detector

BABAR Detector

- Muon/Hadron Detector
- Magnet Coil
- Electron/Photon Detector
- Cherenkov Detector
- Tracking Chamber
- Support Tube
- Vertex Detector



Asymmetric construction,
because of boost !



CKM-Matrix

- Standard Model:
- Quark mass eigenstates not equal to weak interaction eigenstates
 - CKM-Matrix describes the mixing

CKM-Matrix:

$$\begin{pmatrix} d' \\ s' \\ b' \end{pmatrix} = \begin{pmatrix} V_{ud} & V_{us} & V_{ub} \\ V_{cd} & V_{cs} & V_{cb} \\ V_{td} & V_{ts} & V_{tb} \end{pmatrix} * \begin{pmatrix} d \\ s \\ b \end{pmatrix}$$

Unitary by definition

First row unitarity condition: $|V_{ud}|^2 + |V_{us}|^2 + |V_{ub}|^2 = 1$



Status: $|V_{us}|$ from Kaon Decays

PDG2006 world average:

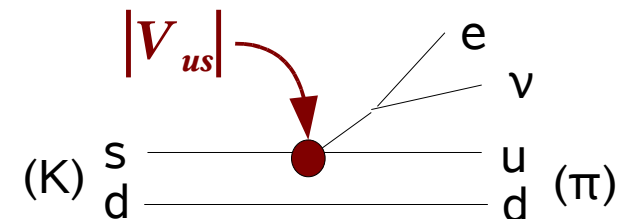
$$|V_{ud}| = 0.97377 \pm 0.00027 (\Rightarrow 0.028 \%)$$

$$|V_{us}| = 0.2257 \pm 0.0021 (\Rightarrow 0.93 \%)$$

$$|V_{ub}| = (4.31 \pm 0.30) * 10^{-3}$$

Measurements of $|V_{us}|$

- use kaon decays (e.g. $K^0 \rightarrow e^+ \pi^- \nu_e$)
- dominated by uncertainty of the theoretical determination of kaon form factor

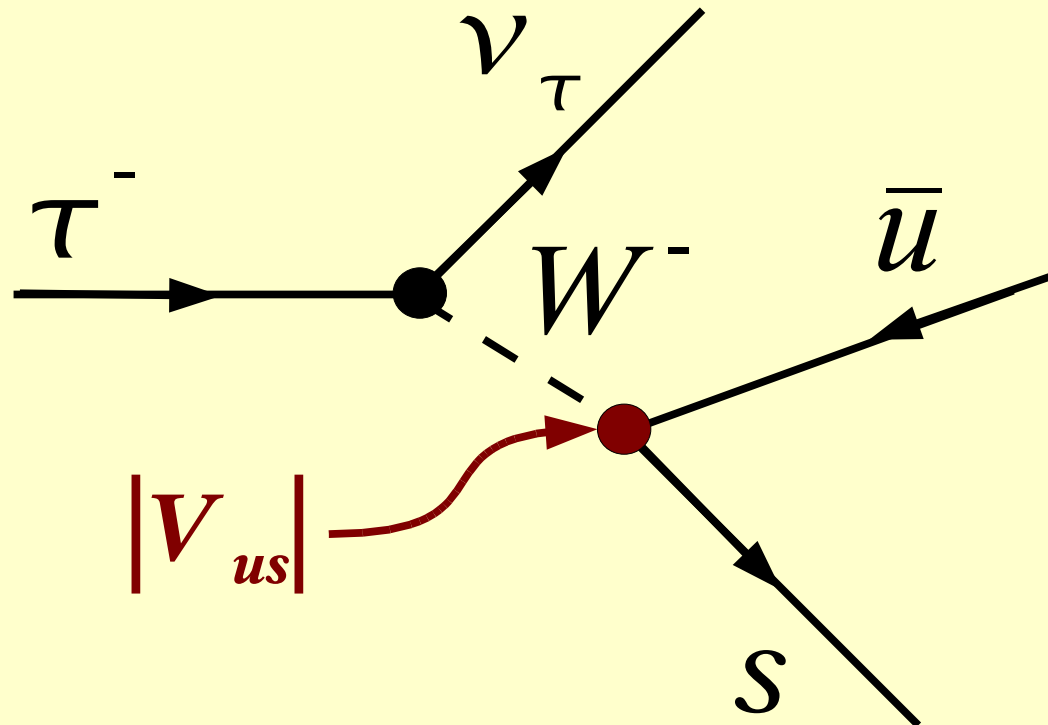


Goal: Systematically independent approach to $|V_{us}|$:
alternative measurement in tau lepton decays



Motivation

Goal : Measurement of CKM-matrix-element $|V_{us}|$ in tau-lepton decays with “net-strangeness”





$|V_{us}|$ in Tau Decays

Hadronic Tau-Lepton decay rate

S: Strange
NS: Non-Strange

$$R_{had} = R_{NS} + R_S \quad R_{S(NS)} = \frac{\Gamma[\tau \rightarrow h_{S(NS)} \nu]}{\Gamma[\tau \rightarrow e \bar{\nu}_e \nu]}$$

$$|V_{us}|^2 = \frac{R_S}{\frac{R_{NS}}{|V_{ud}|^2} - \delta R(m_S)}$$

- where δR_S can be calculated in Operator Product Expansion
- R_{NS} and $|V_{us}|$ other measurements
→ measure R_S

Previous measurements (OPAL):

* E. Gamiz et al. , JHEP 01 (2003) 060, hep-ph/0212230,
Phys. Rev. Lett. 94 (2005) 011803, hep-ph/0408044

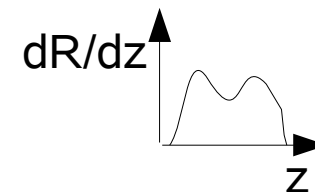
→ $|V_{us}| = 0.2208 \pm 0.0033_{\text{exp}} \pm 0.0009_{\text{theo}} \quad (*)$

→ dominated by experimental uncertainty of R_S :
Precision limited by statistics



Strange Spectral Function

Additional information from moments:

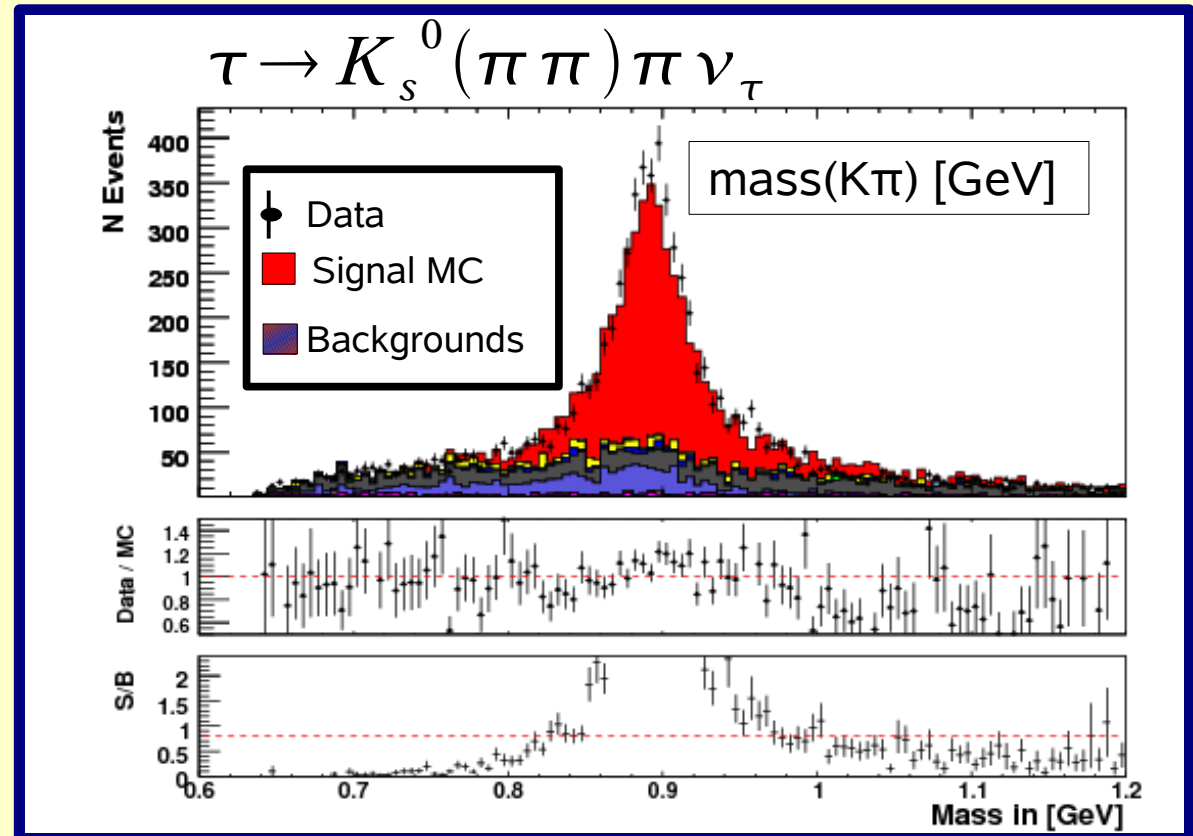
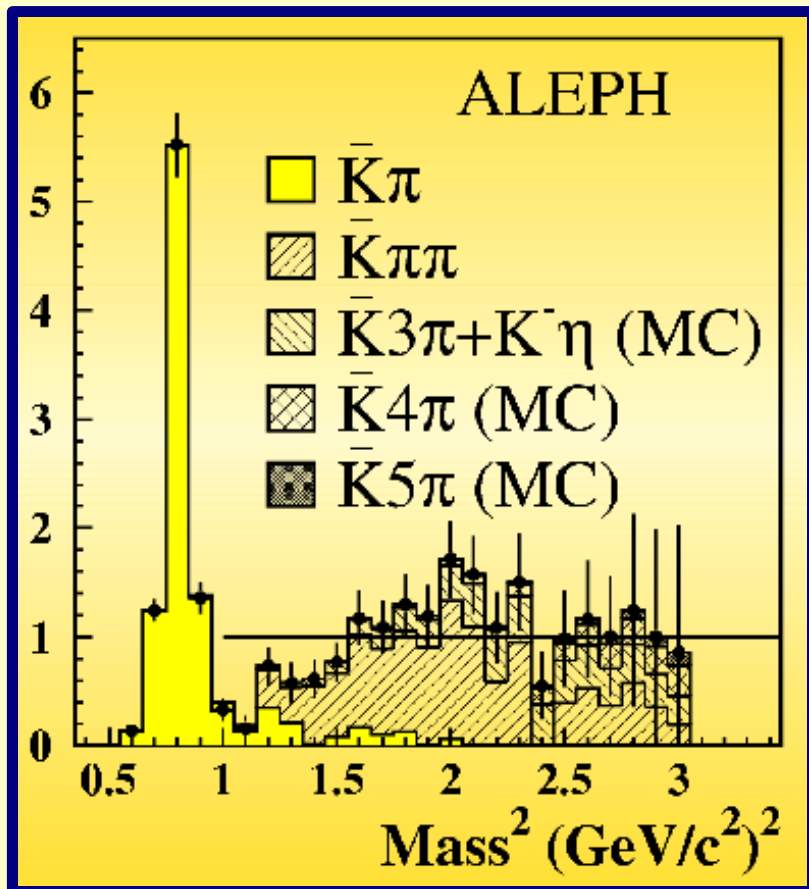


$$R^l = \int_0^1 dz (1-z)^l \frac{dR}{dz} \quad \text{with } z = \frac{m_{had}^2}{M_\tau^2}$$

- Need to determine the strange spectral function:
- Measure the invariant mass spectrum
 - Consistent treatment of tau-decay channels with net-strangeness necessary



Invariant Mass Spectrum



Diploma Thesis: Daniil Nekrassov



Characteristics of Tau Decays

Tau lifetime: 291 fs

- Tau decays in beam pipe
- Reconstruction via decay products

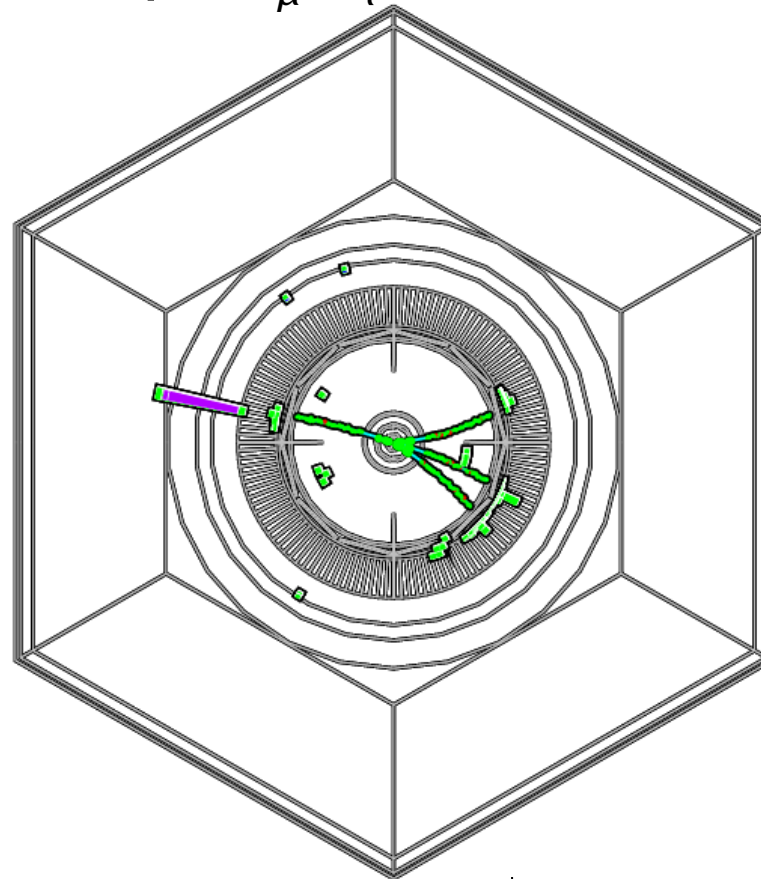
Tau mass: 1.78 GeV

- Tau events are jet-like
- Separation from BB events

Neutrinos

- Missing Momentum

$$\tau^+ \rightarrow \mu^+ \nu_\mu \bar{\nu}_\tau$$



$$\tau^- \rightarrow \pi^+ \pi^- \pi^- \nu_\tau$$



Decay Channels with Strange-Quarks in the Final State

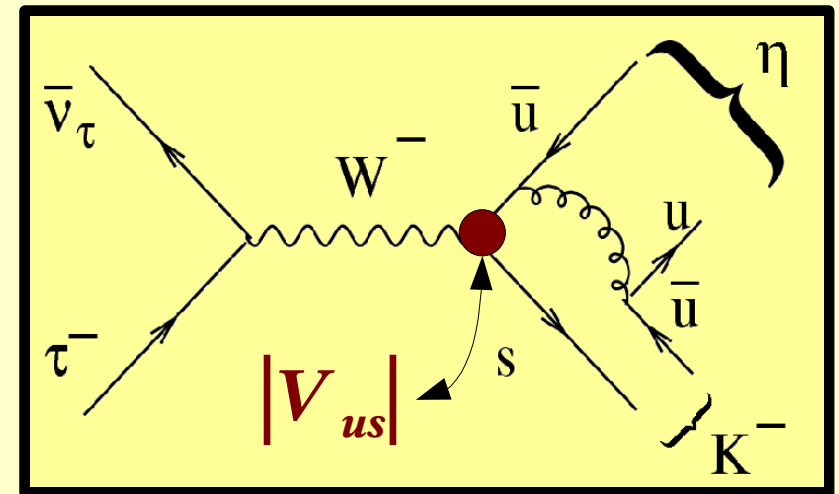
Channels under study in Heidelberg-Babar-Group are colored :

Zerfallskanal	BF [%] PDG 06
$\tau^- \rightarrow K^0 \pi^- \nu_\tau$	$0,90 \pm 0,04$
$\tau^- \rightarrow K^- \nu_\tau$	$0,691 \pm 0,023$
$\tau^- \rightarrow K^- \pi^0 \nu_\tau$	$0,452 \pm 0,027$
$\tau^- \rightarrow K^- \pi^+ \pi^- \nu_\tau$	$0,390 \pm 0,040$
$\tau^- \rightarrow \bar{K}^0 \pi^- \pi^0 \nu_\tau$	$0,380 \pm 0,040$
$\tau^- \rightarrow K^- \pi^+ \pi^- \pi^0 \nu_\tau$	$0,079 \pm 0,012$
$\tau^- \rightarrow K^- \pi^0 \pi^0 \nu_\tau$	$0,058 \pm 0,023$
$\tau^- \rightarrow K^- \pi^0 \pi^0 \pi^0 \nu_\tau$	$0,042 \pm 0,021$
$\tau^- \rightarrow K^- \eta \nu_\tau$	$0,027 \pm 0,006$
$\tau^- \rightarrow \bar{K}^0 \pi^- \pi^0 \pi^0 \nu_\tau$	$0,026 \pm 0,024$

Goal:

Measure branching fraction of

$$\tau^- \rightarrow \eta K^- \nu_\tau$$





Identification of Tau Pairs

Selection criteria:

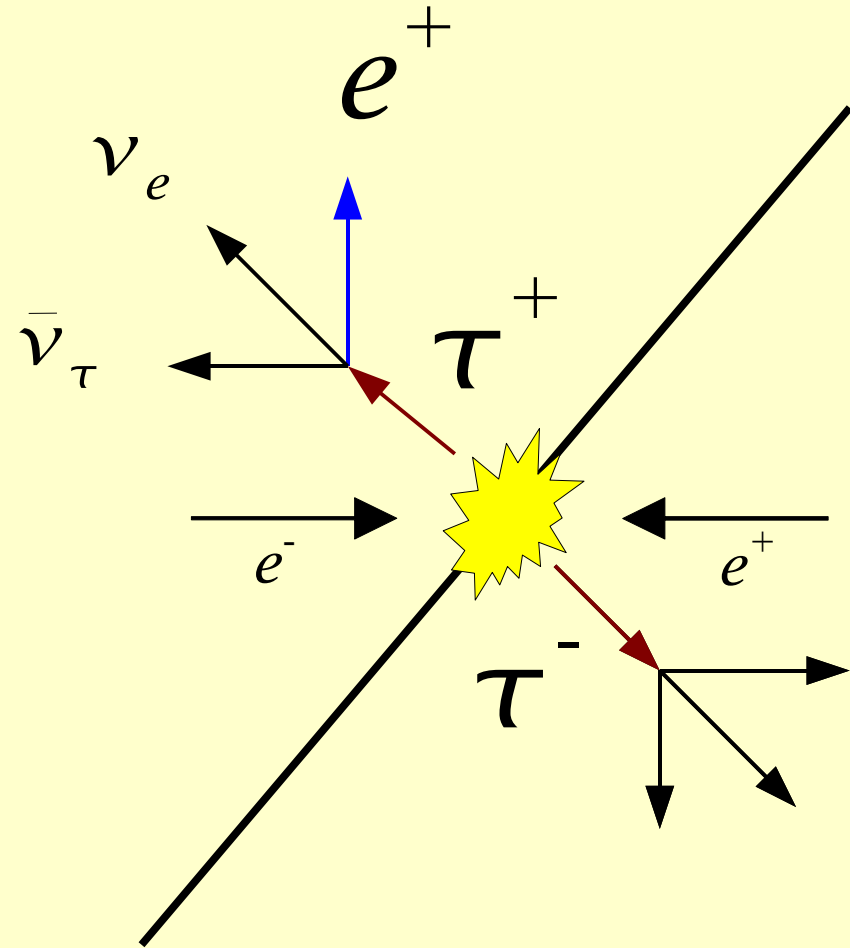
- jet-like events
- divide event in two hemispheres:

lepton-tag on 1-prong side:
require electron or muon

→ all other particles are daughters of “signal-side” tau

signal side: selection of hadrons

→ strong suppression of non-tau backgrounds

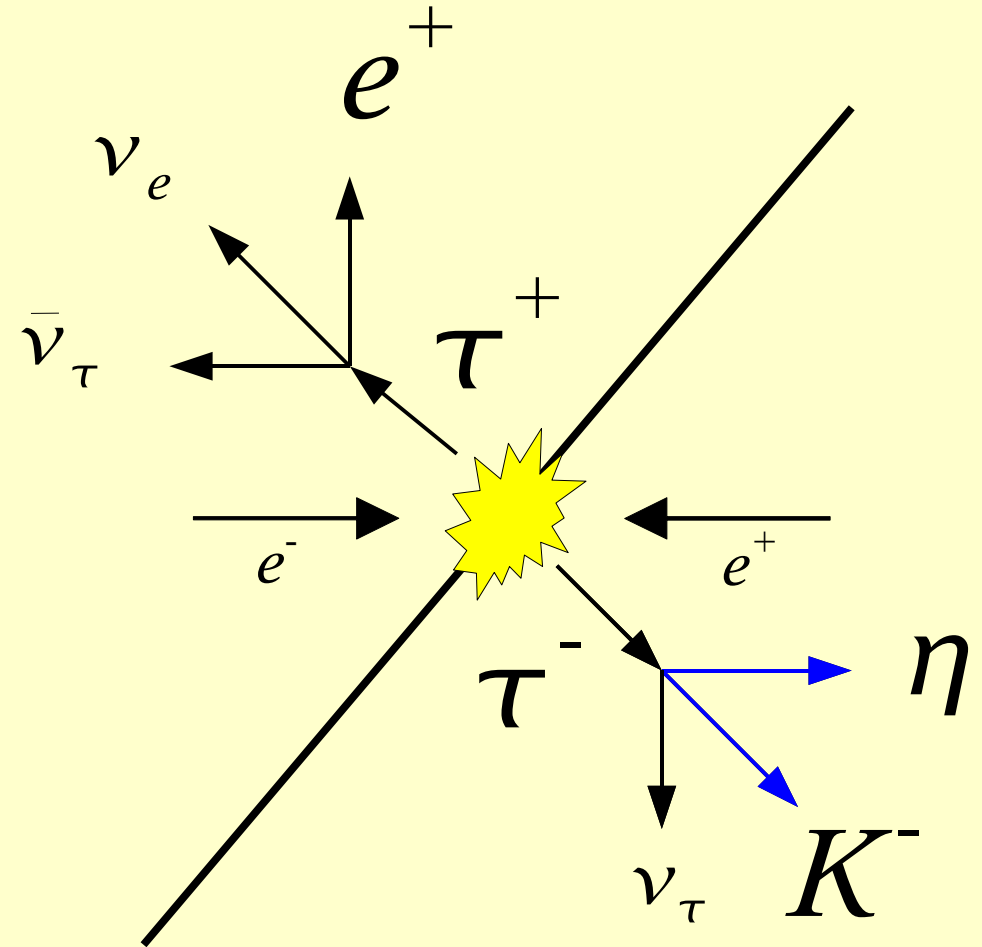
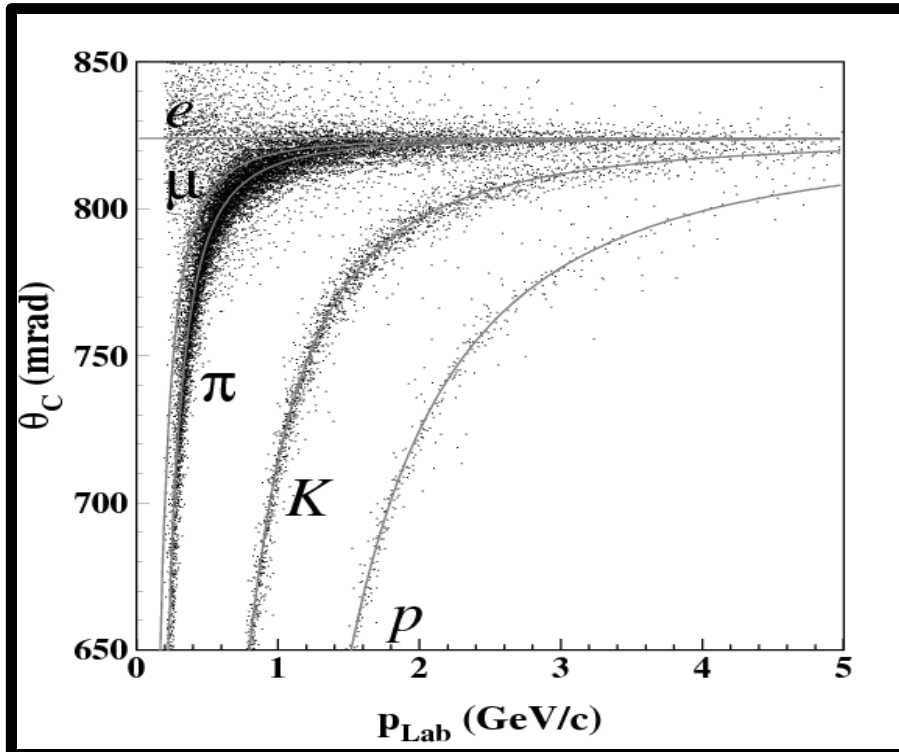




$$\tau^- \rightarrow \eta K^- \nu_\tau$$

- Kaon Identification:

→ separation from pions with Cherenkov-detector

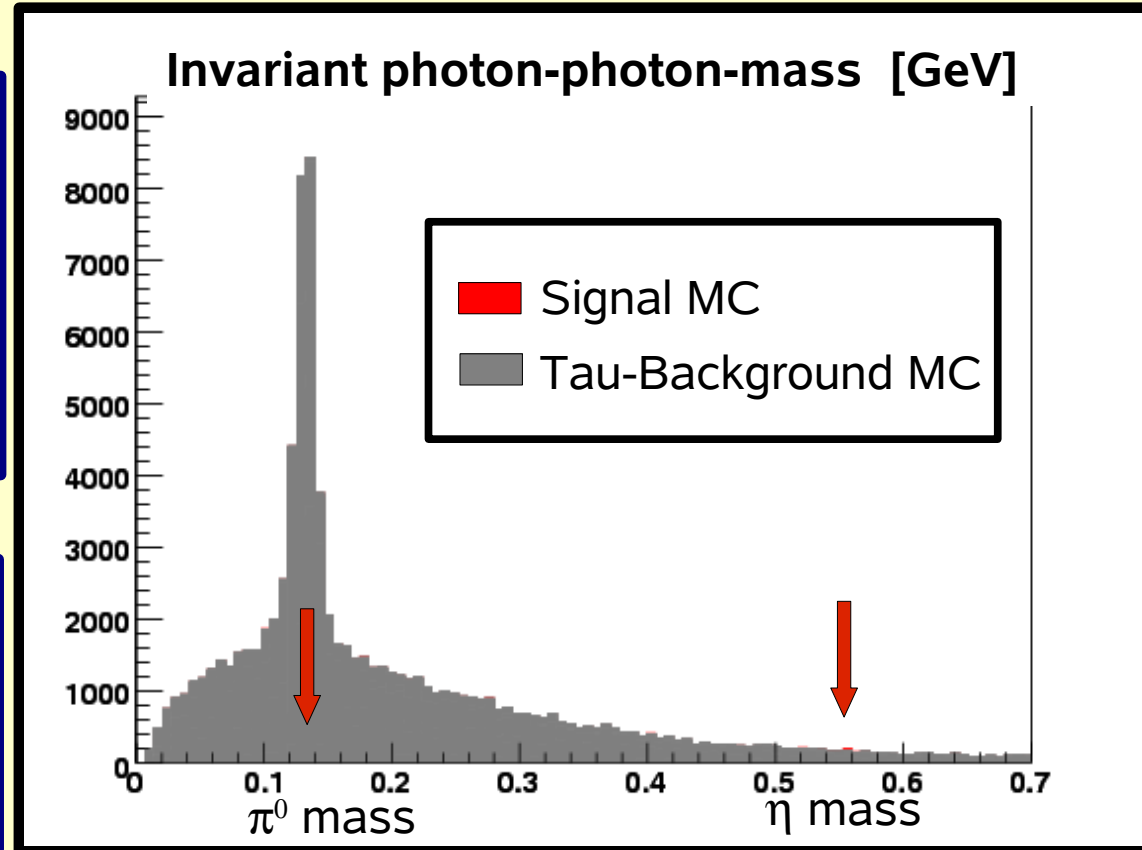




$$\eta \rightarrow \gamma \gamma$$

- first step :
 $\eta \rightarrow \gamma \gamma$ $BF : (39.38 \pm 0.26) \%$
- next step
 $\eta \rightarrow \pi^+ \pi^- \pi^0$ $BF : (22.7 \pm 0.4) \%$

- Select photons
- Combine photons to their mother particle candidates



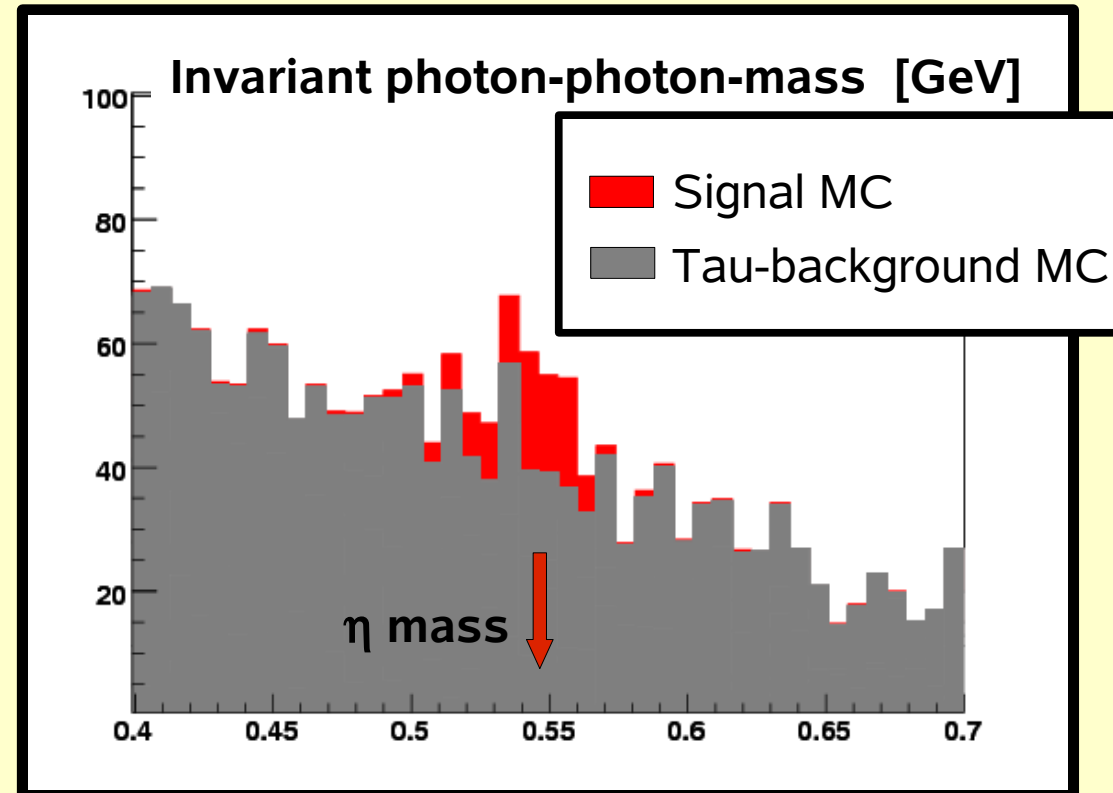
→ Large combinatorial background of decays with neutral pions :
e.g. $\tau^- \rightarrow \pi^0 K^- \nu_\tau$ (BF is about 15 times larger than BF of η channel)



$$\eta \rightarrow \gamma \gamma$$

First look at signal region:

Selection of neutral pions :
don't use their daughter
photons for η candidates



Next steps:

- Improvement of event selection
- Study of backgrounds
- Expand analysis with channel $\eta \rightarrow \pi^+ \pi^- \pi^0$
- Measure branching fraction
- Determine invariant mass $m(K \eta)$



Summary and Outlook

- BaBar is also a Tau-Factory
- The large tau dataset offers the possibility for an alternative measurement of V_{us}
- Many tau-decay with net-strangeness channels are already under study in Heidelberg
- Study of decay channel $\tau^- \rightarrow \eta K^- \nu_\tau$ started

Future steps:

- Study of remaining tau decays with net-strangeness
- Consistent treatment of all tau decays in a combined measurement



Preshower Study: Motivation

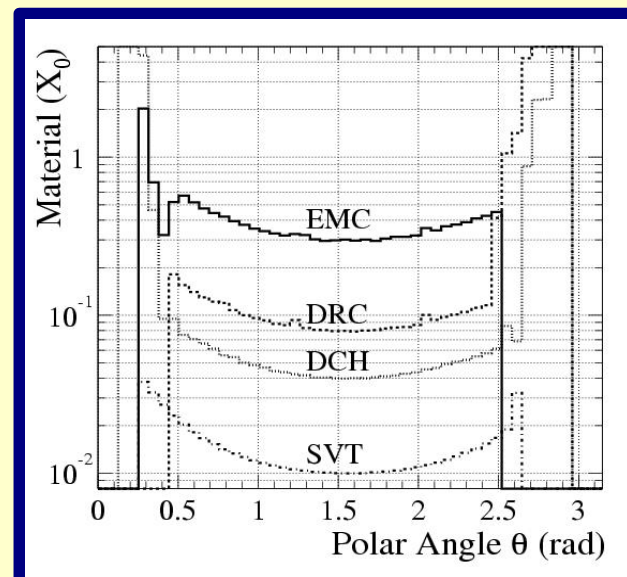
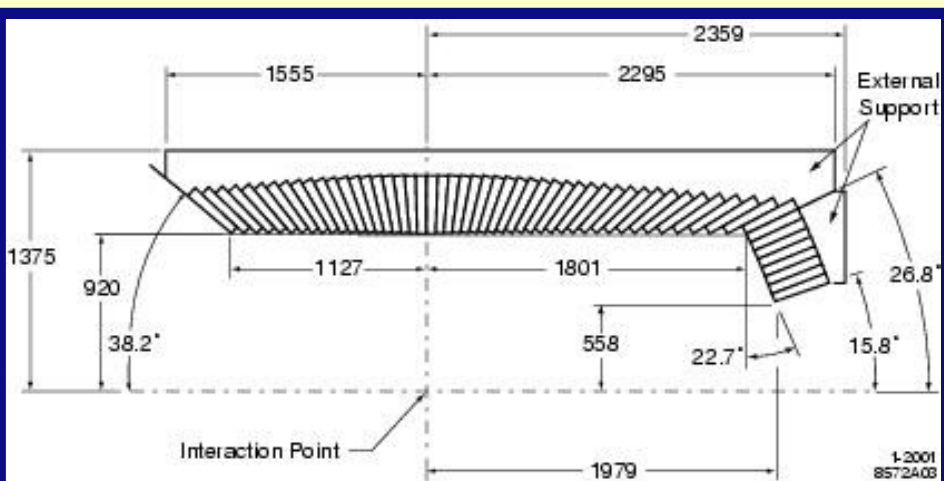
Electromagnetic Calorimeter (EMC)

CsI(Tl) Crystals: 5760 in “barrel”
820 in “endcap”

Material in front of the calorimeter:
about $0.4 X_0$
mainly: DIRC ($0.3 X_0$)

Interaction of photons with this material leads to “Preshowers”

Preshower:
Photon which started to shower
already in front of the EMC





Preshower Study: Motivation

13 % of all photons are preshowers:

- Preshowers “lose” energy in front of the calorimeter

Questions:

- What happens to energy resolution?
- How is the (Pre)Shower shape ?
- How does MC describe Preshowers?

Diploma theses topic:

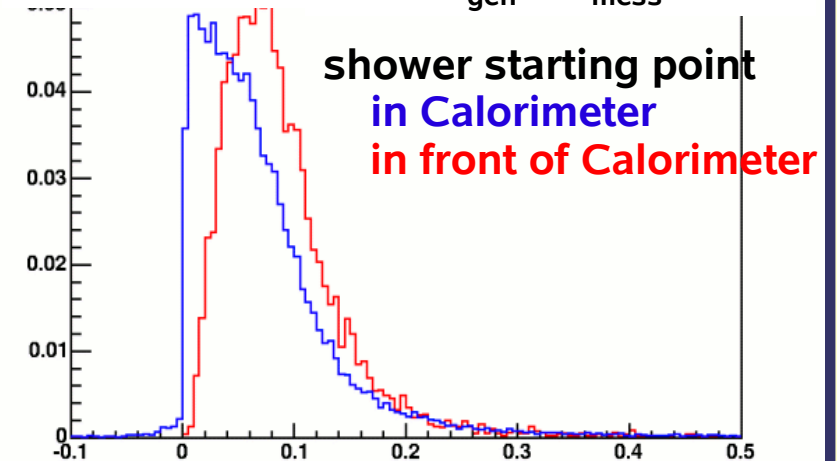
Is it possible to identify preshowers ?

Idea : Try to do it with the DIRC

Single Photon MC

Normalized

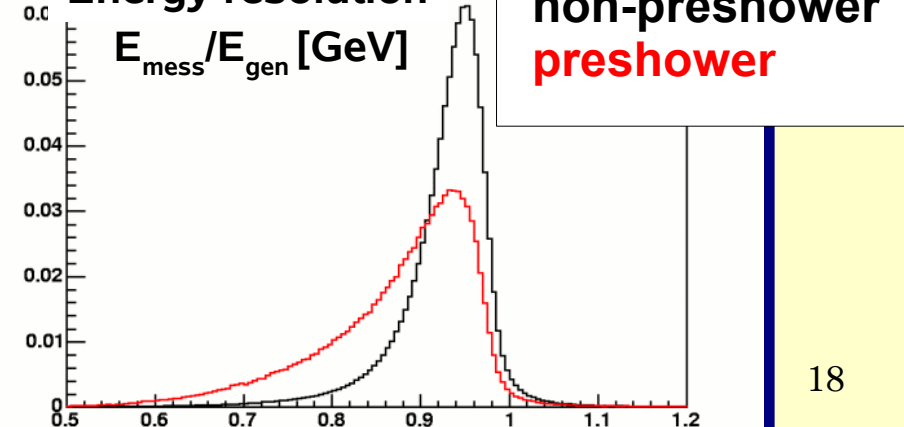
Energy loss $\Delta E = E_{\text{gen}} - E_{\text{mess}}$ [GeV]



Normalized

Energy resolution

$E_{\text{mess}}/E_{\text{gen}}$ [GeV]

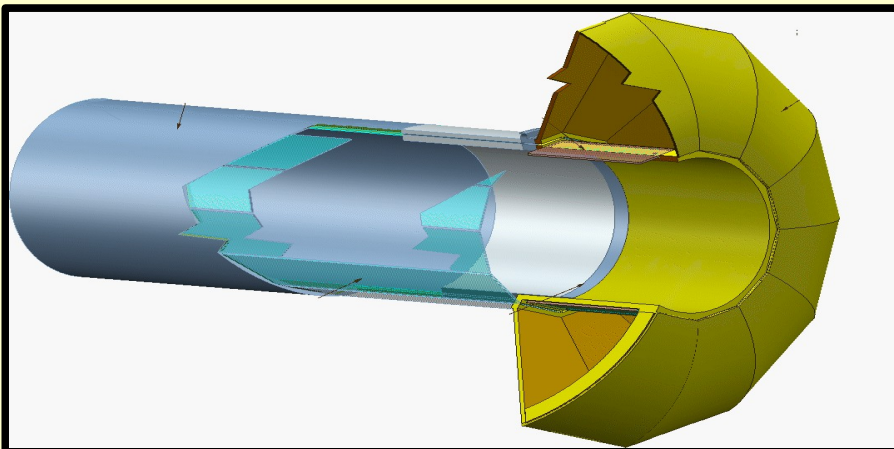
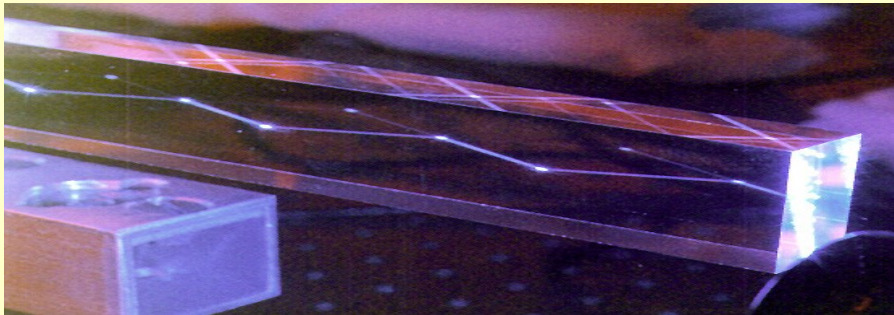




DIRC

Detector of Internally Reflected Cherenkov Light

- 144 quartz bars in 12 sectors
- 6 m³ water tank
- about 11000 photo multipliers



- Charged particle with velocity β emits Cherenkov-Photons in DIRC-bars with angle Θ_c :

$$\cos(\Theta_c) = \frac{1}{(n\beta)}$$

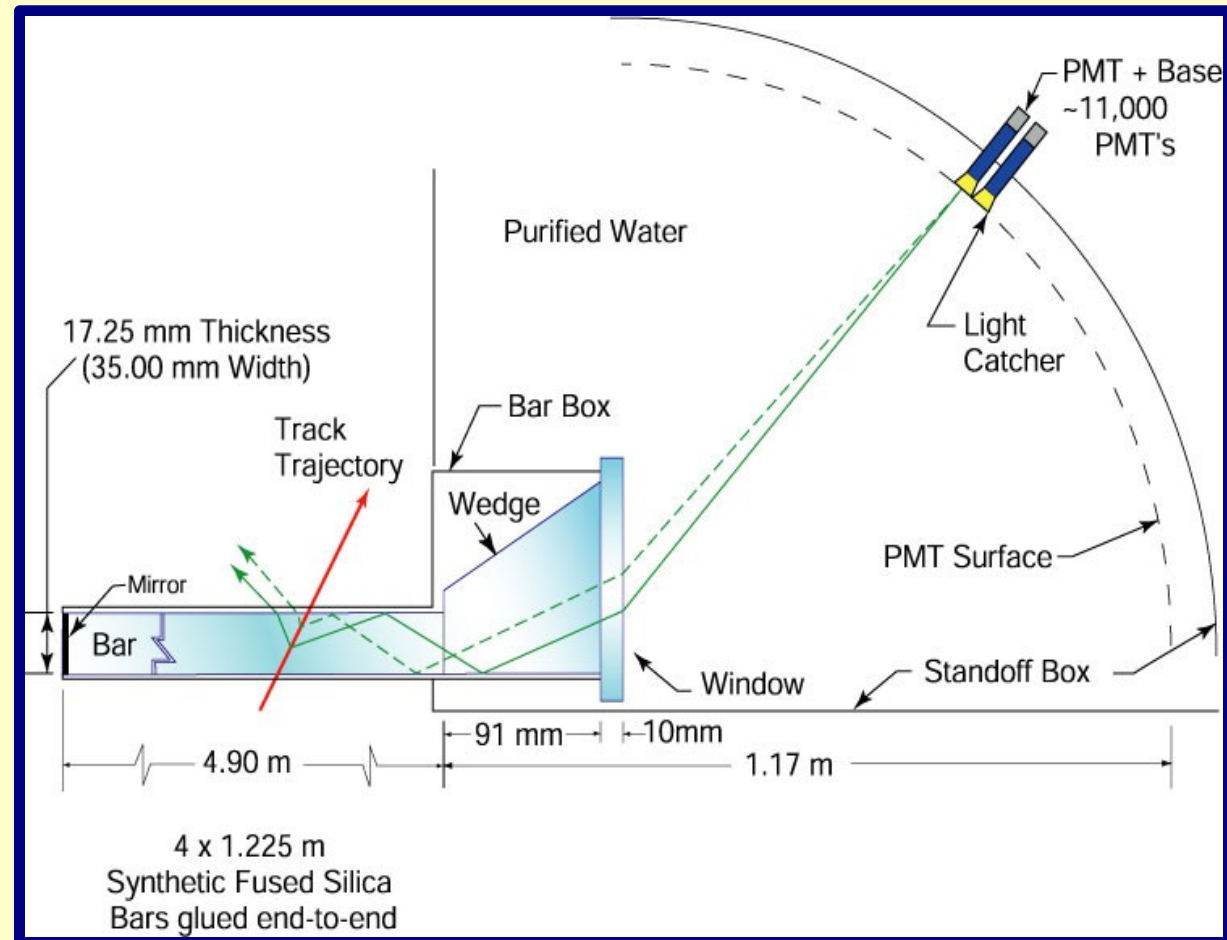
- Photons travel through the bars via internal reflection to the photo multiplier tubes
- Determined Θ_c is compared to particle momentum measured in tracking system



DIRC

Observable:

- Track trajectory coordinates and angle at DIRC
- Photo Tube coordinates
- geometric reconstruction of Cherenkov angle for each photo tube hit
- up to 16 ambiguities: multiple paths are possible
- Time of photon detection T_{mess} relative to bunch crossing
- can be compared with expected calculated time T_{ex}



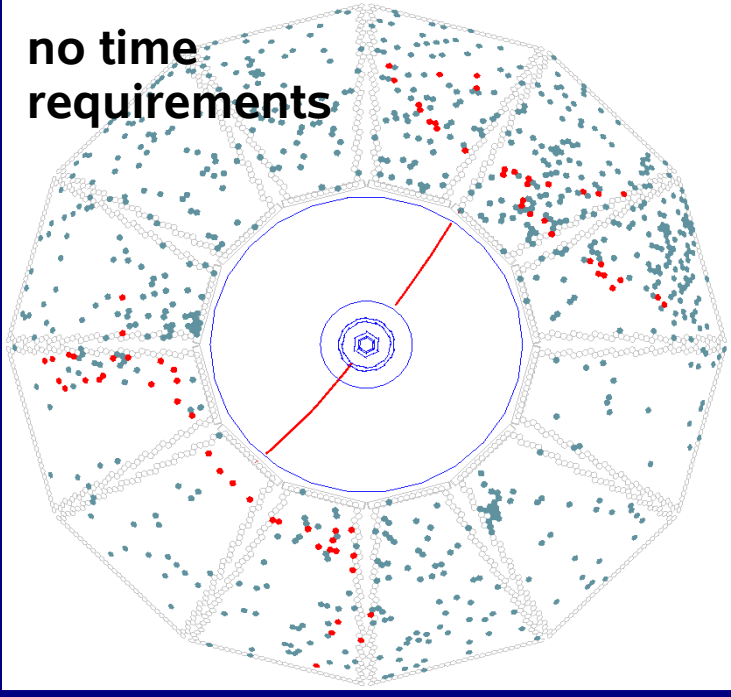


DIRC Time Information

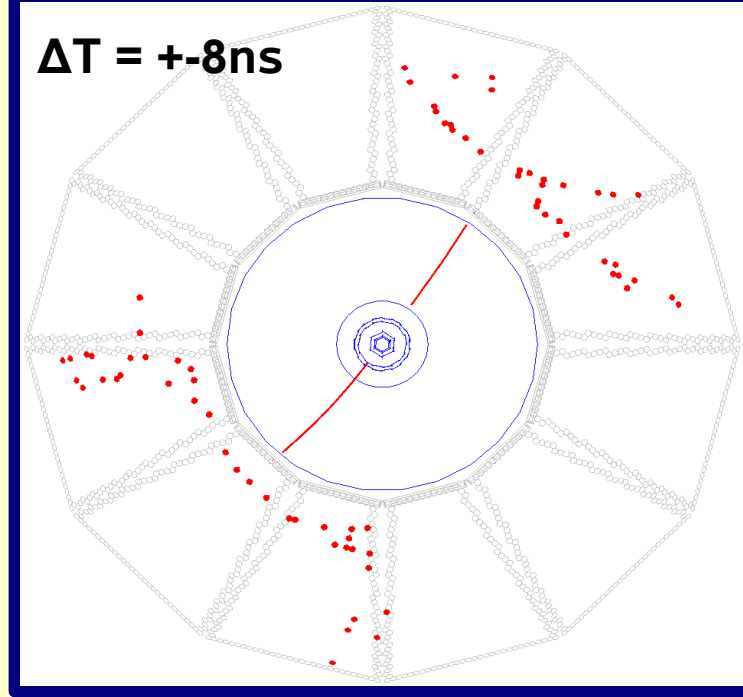
Time information $\Delta T = T_{\text{mess}} - T_{\text{expected}}$ used to:

- 1) suppress background (Factor 40)
- 2) resolve geometric ambiguities
(large ΔT more unlikely than small ΔT)

no time requirements



$\Delta T = \pm 8\text{ns}$

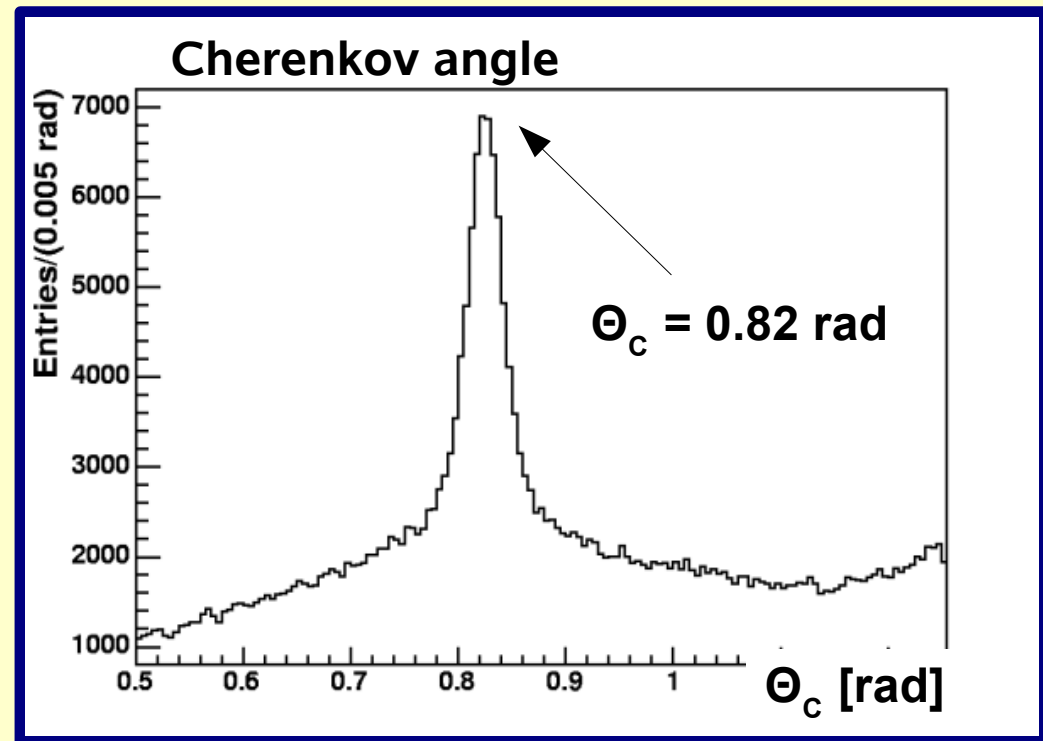
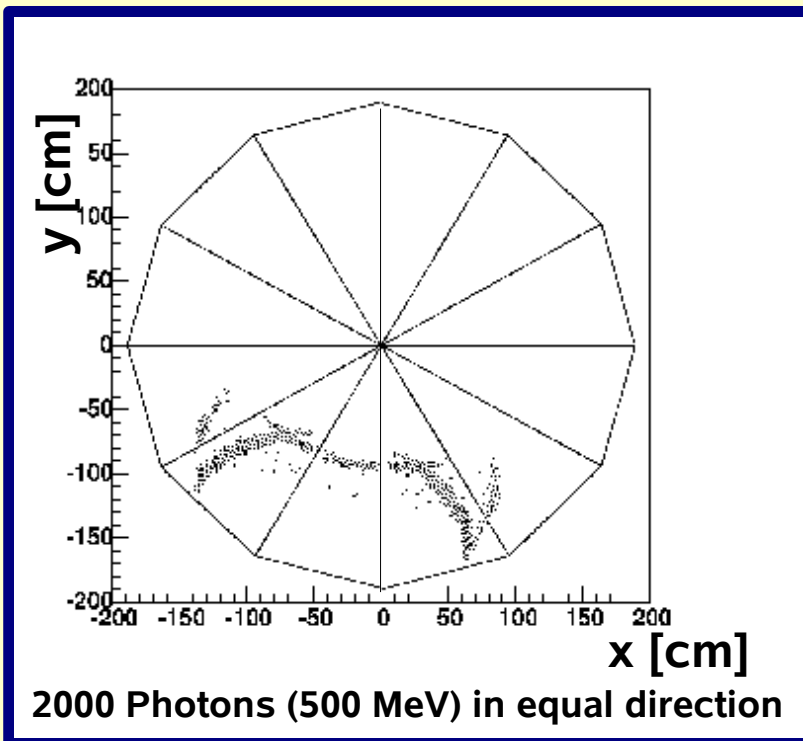




Preshower from MC photons

Single Photon Monte Carlo

→ All photo multiplier hits originate from shower-electrons



→ Θ_c distributed at expected value for relativistic electrons
Preshower photons “emit” Cherenkov-photons !



DIRC-Hit to EMC-Photon Association

In generic Events:

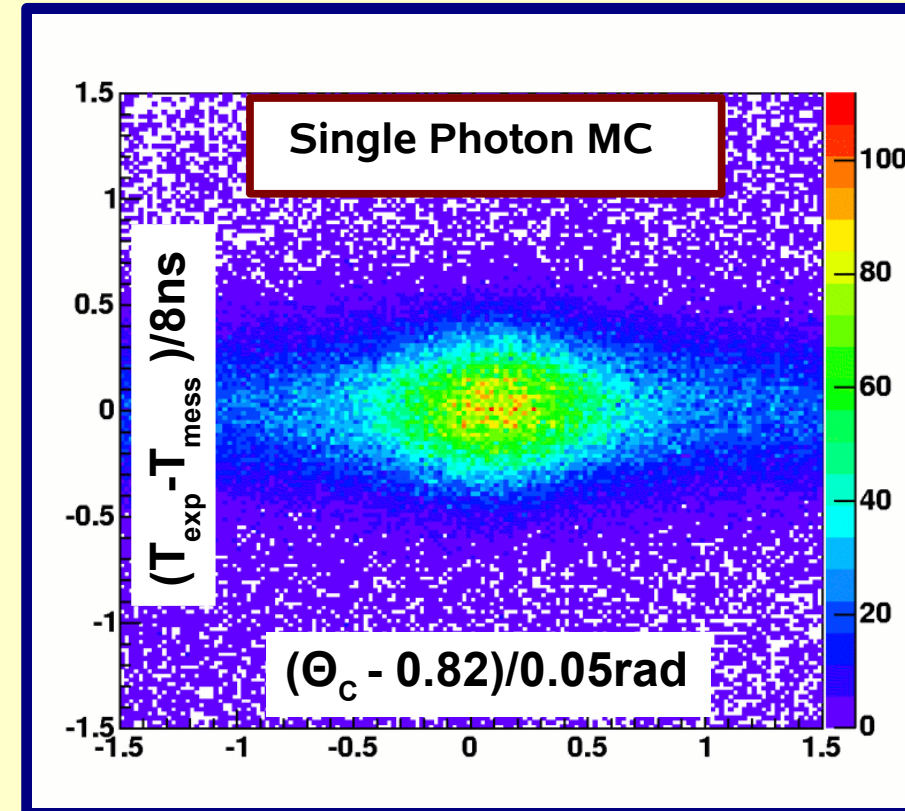
- A lot of wrong associations need to be resolved
- Don't use DIRC-tube-hits already associated to charged particles
- Define for each geometrical possibility to associate one DIRC-hit with one EMC-photon :

$$A = \frac{(T_{erwart} - T_{mess})^2}{(8ns)^2} + \frac{(\Theta_C - 0.82)^2}{(0.05rad)^2}$$

Uses

- Time information
- Expected Cherenkov angle for electrons

Choose unique association with minimal A





Definition of Preshowers

Data samples for different studies can be defined:

- **Low preshower content: Higher photon energy resolution**
- **High preshower content: Studies of preshower photon behavior**

For high preshower content:

A preshower photon is an EMC-cluster with:

- **a DIRC-tube-hit to EMC-cluster association with $A < 0.2$**
- **a number of this associations > 10**

**Sample contains about 60% of preshowers :
Enrichment by almost a factor of 5**



Preshower Identification in Real Data

$$\pi^0 \rightarrow \gamma\gamma$$

π^0 non-preshower:

→ both daughter-photons are non-preshower.

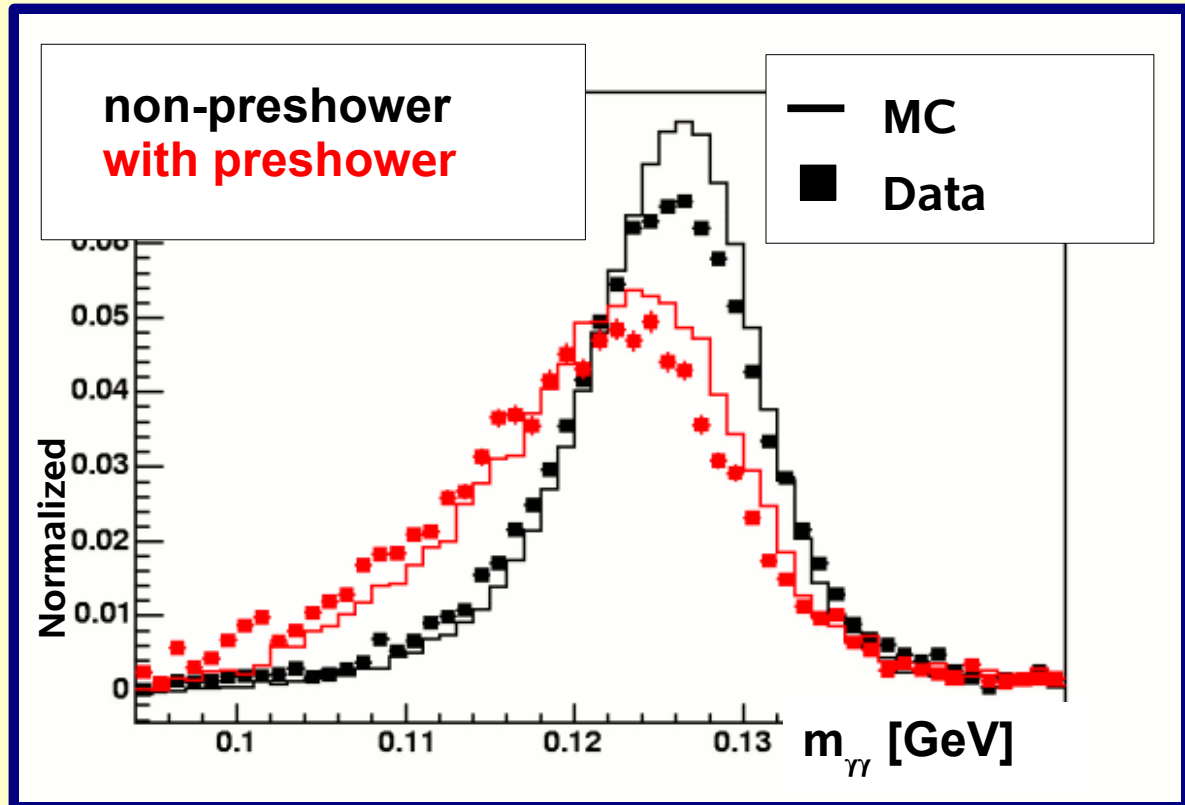
π^0 with preshower:

→ at least one photon is preshower.

→ Preshowers can also be identified in data

Reconstructed π^0 -mass

(combinatorial background subtracted)





Application of Preshowers

BaBar-Service-Task: Study preshower cluster shapes in the EMC
Compare data and Monte Carlo

**Lateral Moment:
describes shower shape**

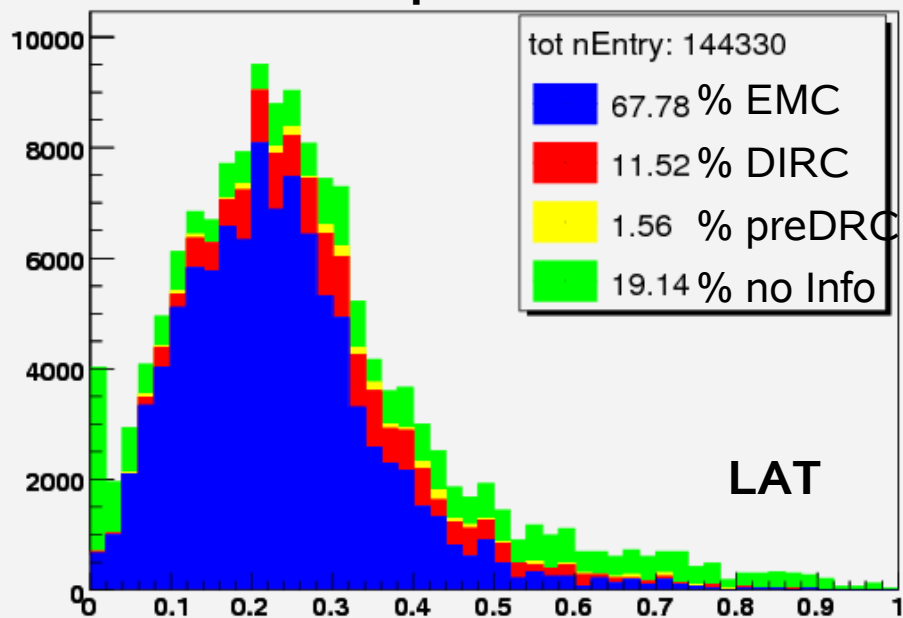
$$LAT = \frac{\sum_{i=3}^N E_i r_i^2}{\sum_{i=3}^N E_i r_i^2 + E_1 r_0^2 + E_2 r_0^2}$$

$$E_1 > E_2 > \dots > E_N$$

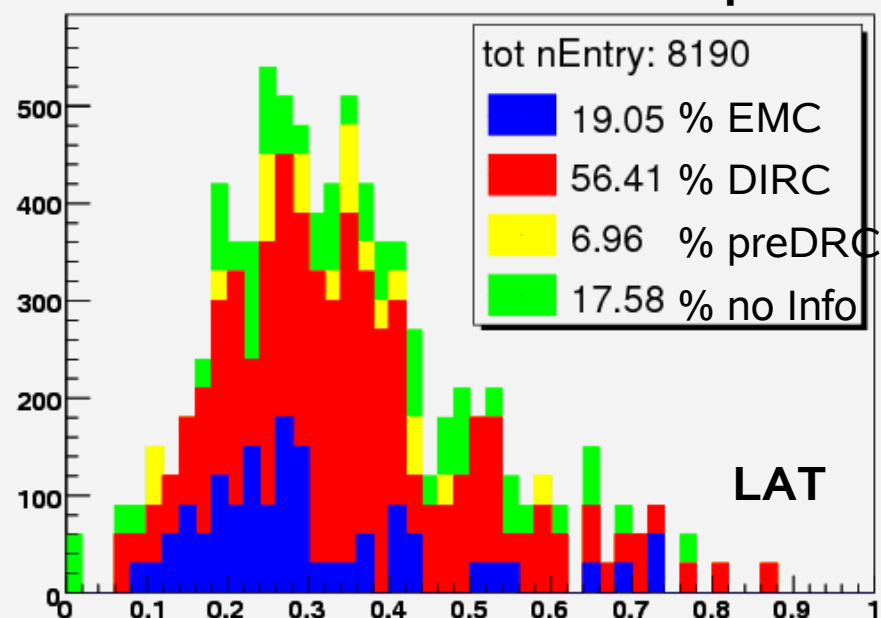
$$r_i = \text{distance}(\text{Crystal}_i, \text{Crystal}_{\text{clusterCenter}})$$

$$r_0 = \text{distance between 2 crystals}$$

Total MC sample



Preshower enriched MC sample

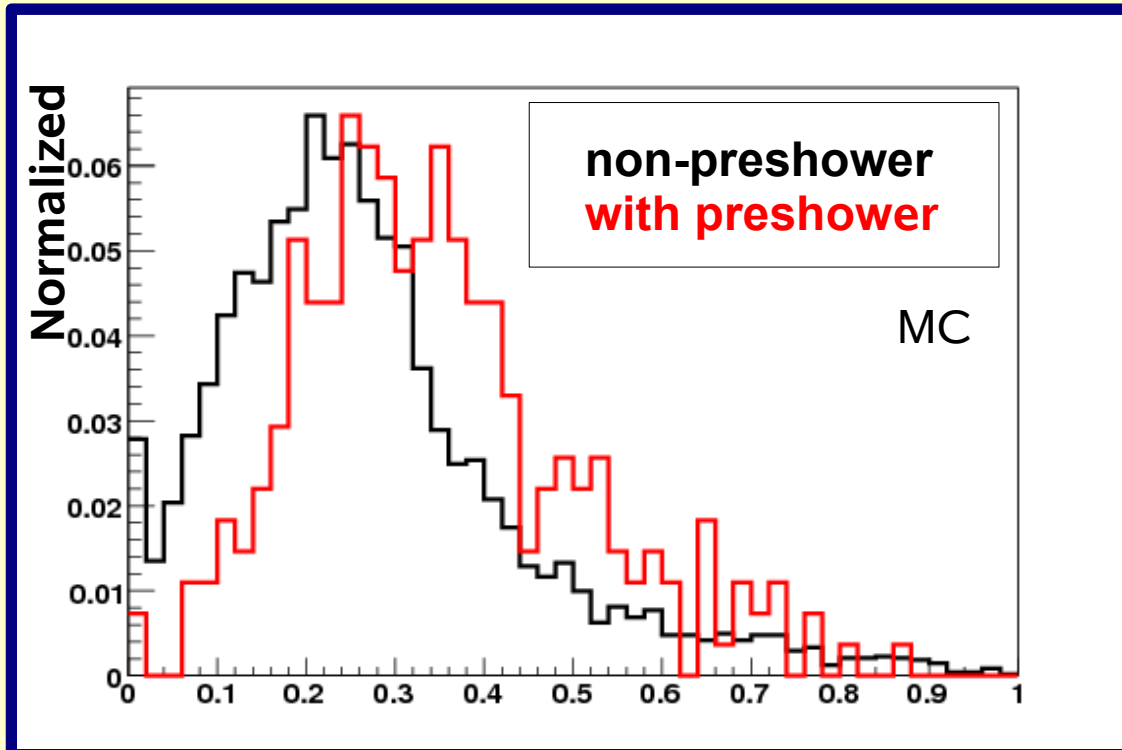




Summary and Outlook

First Look at Lateral Moment:

- shape shifted as expected
- how do real data look like?



- Showed in diploma thesis: Identification of preshower with the Cherenkov detector is possible
- Started to use this tool to study calorimeter characteristics